

Supernovae, ISM & galactic outflows

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7th December, 2015 (NCRA)

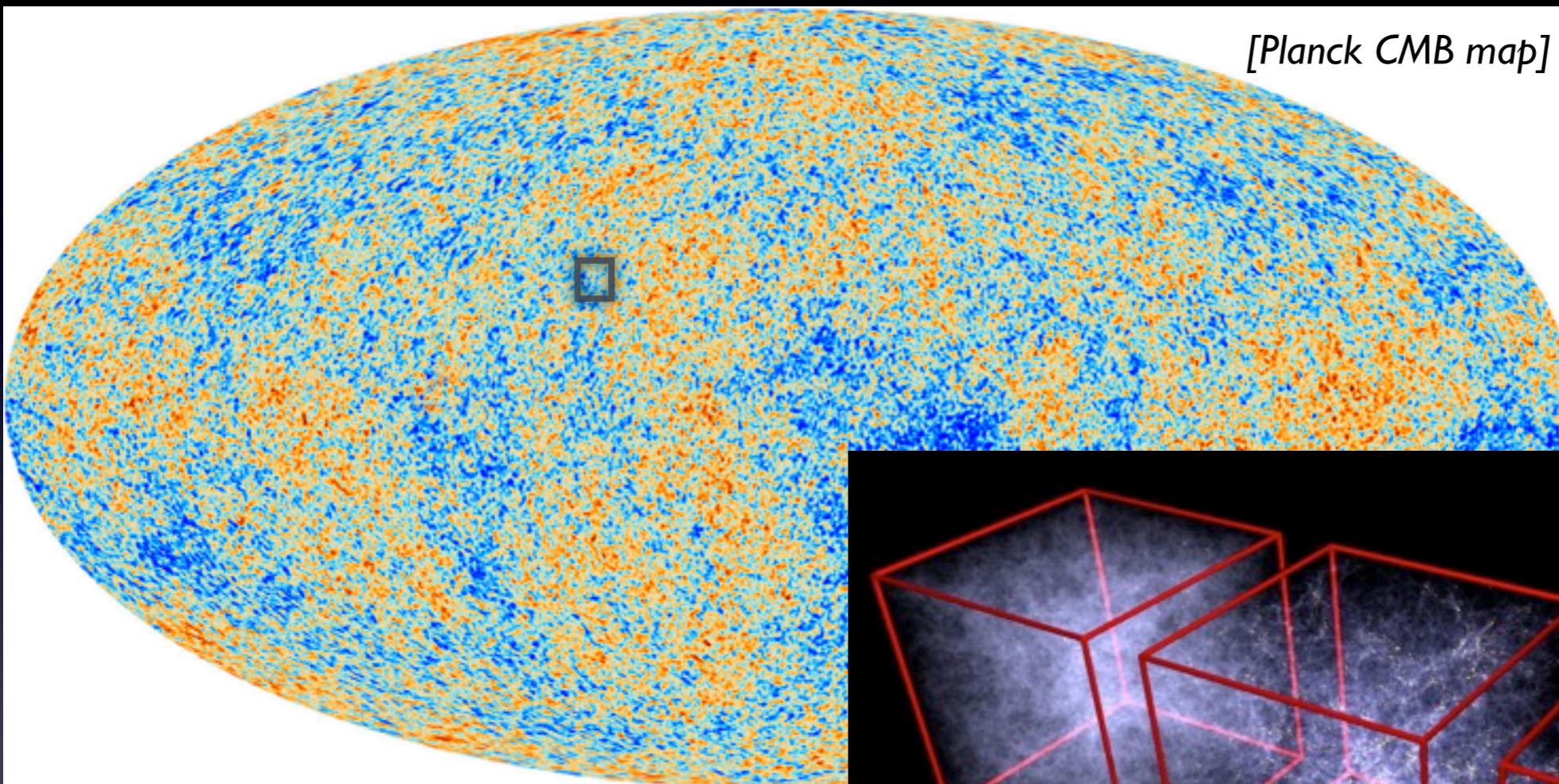


collaborators: Biman Nath, Arpita Roy, Kartick Sarkar, Naveen Yadav

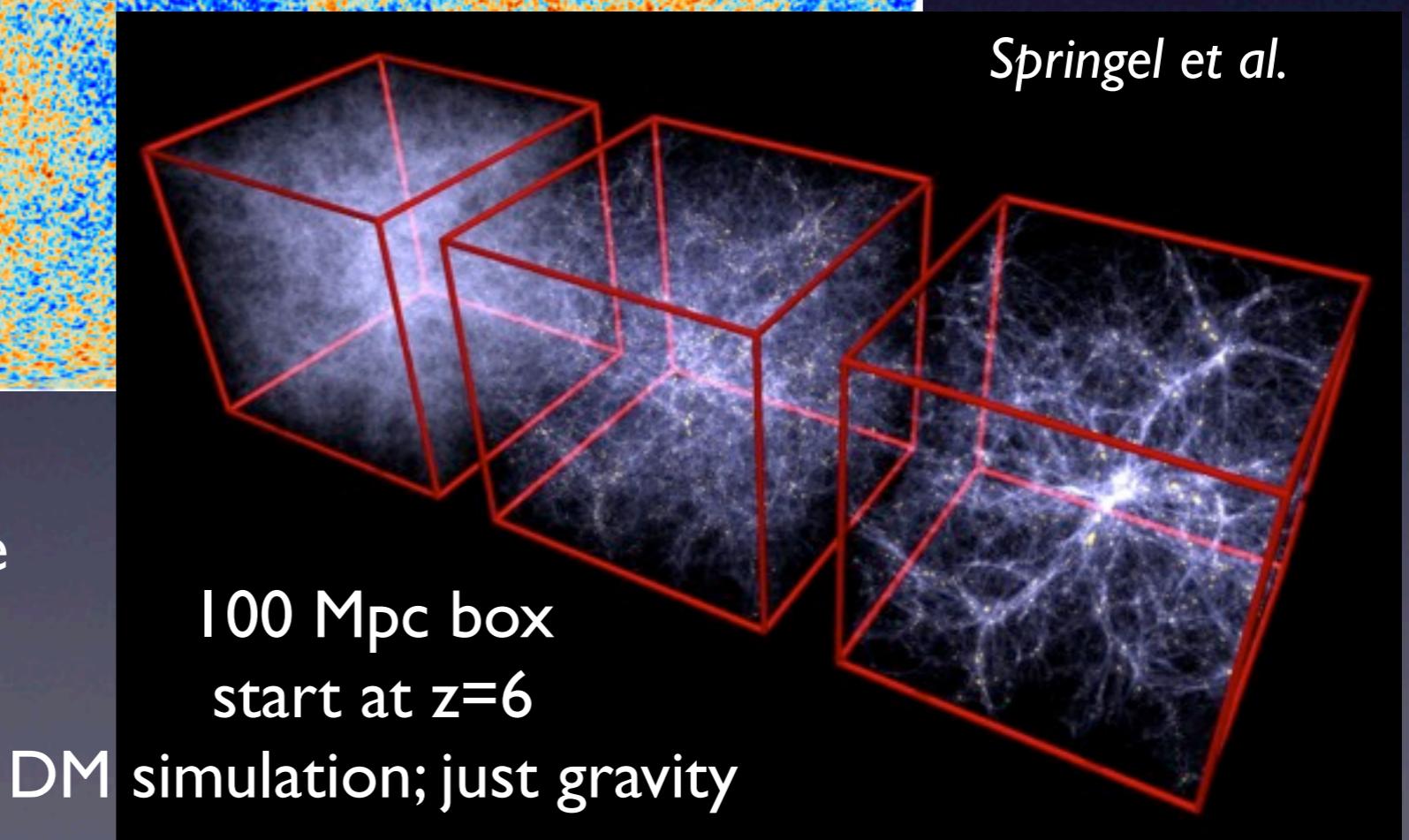
Outline

- Galaxy formation in cosmological context
- importance of cooling & feedback
- feedback regulation of star formation
- supernovae to superbubbles & galactic winds
- Fermi bubbles in MW
- escape of LyC photons from dense disks

Cosmological context



galaxies form in overdense
sheets, filaments & halos

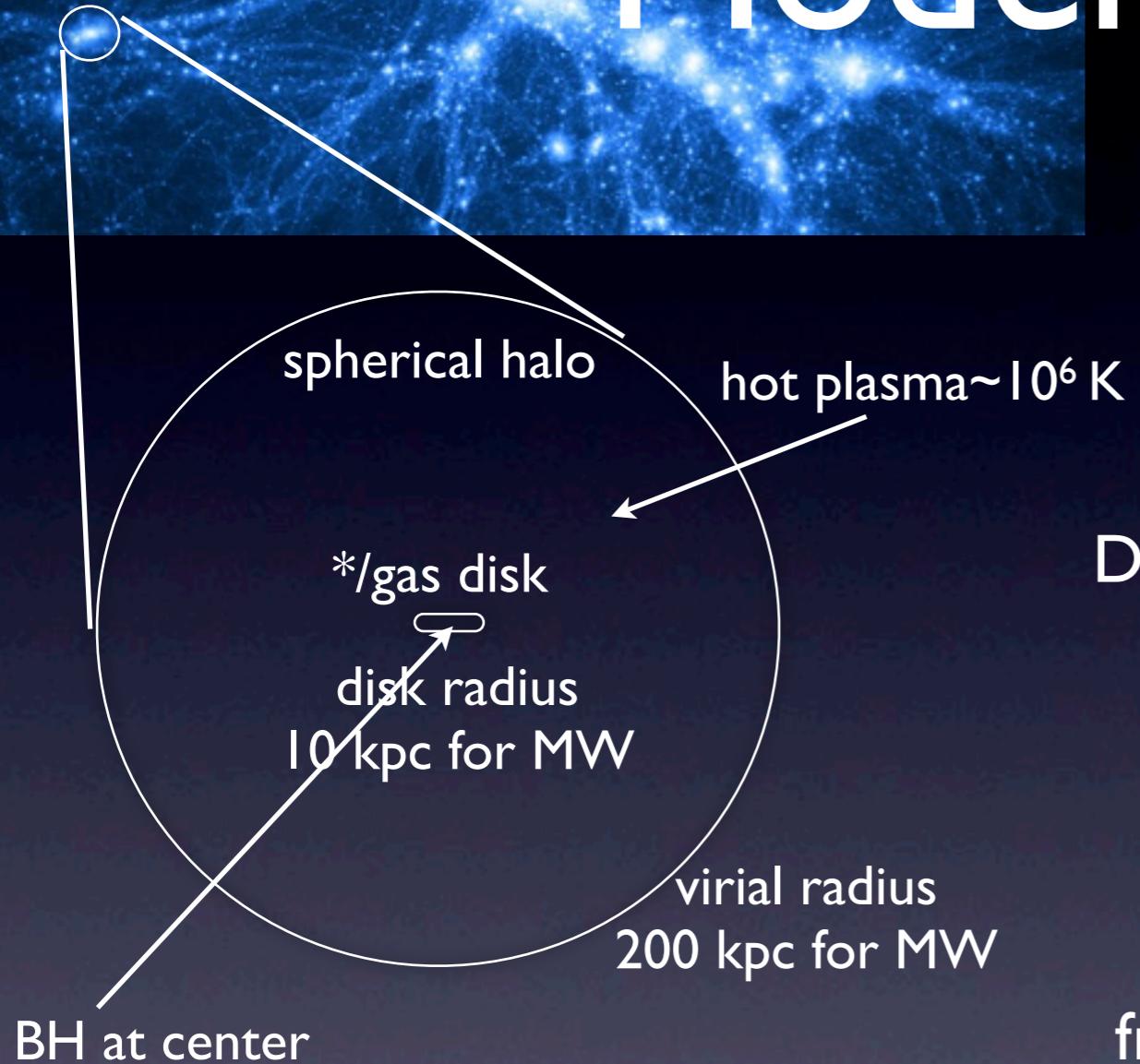


galaxy formation
due to gravitational
instability seeded by
CMB perturbations

Springel et al.

Model for GF

gas cools and condenses into central galaxy
leaving behind hot gas with long cooling time



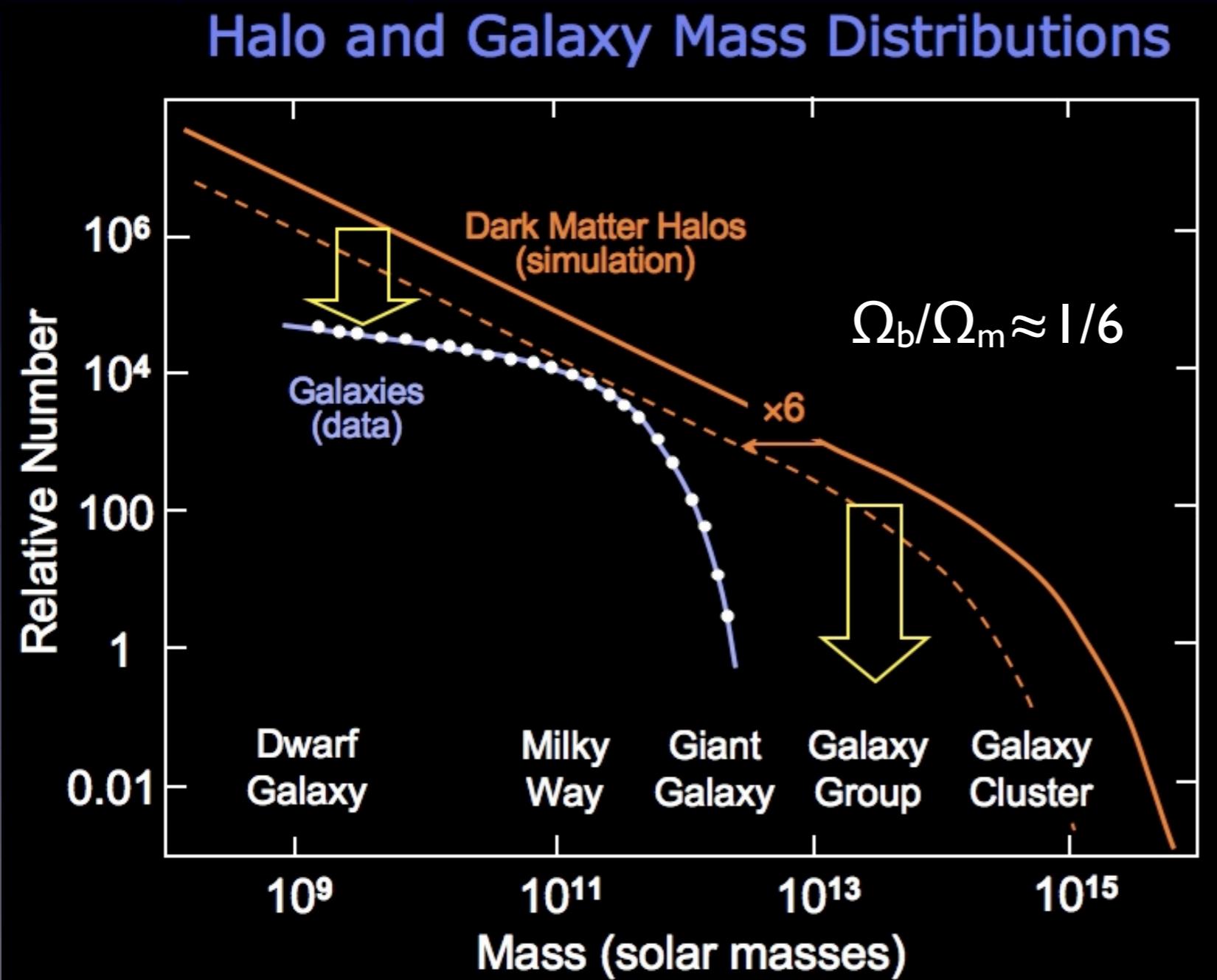
DM halo & hot gas extends much farther out
compared to the visible disk

How does the distribution of baryons
depend on the halo mass?
fraction of mass in stars, hot gas, cold gas, ...

1 kpc~ 3×10^{21} cm

structure of hot gas, disk as a function of halo mass

DM halos vs. galaxies



need to understand galaxy distribution (i.e., stars) vs. DM halo distribution

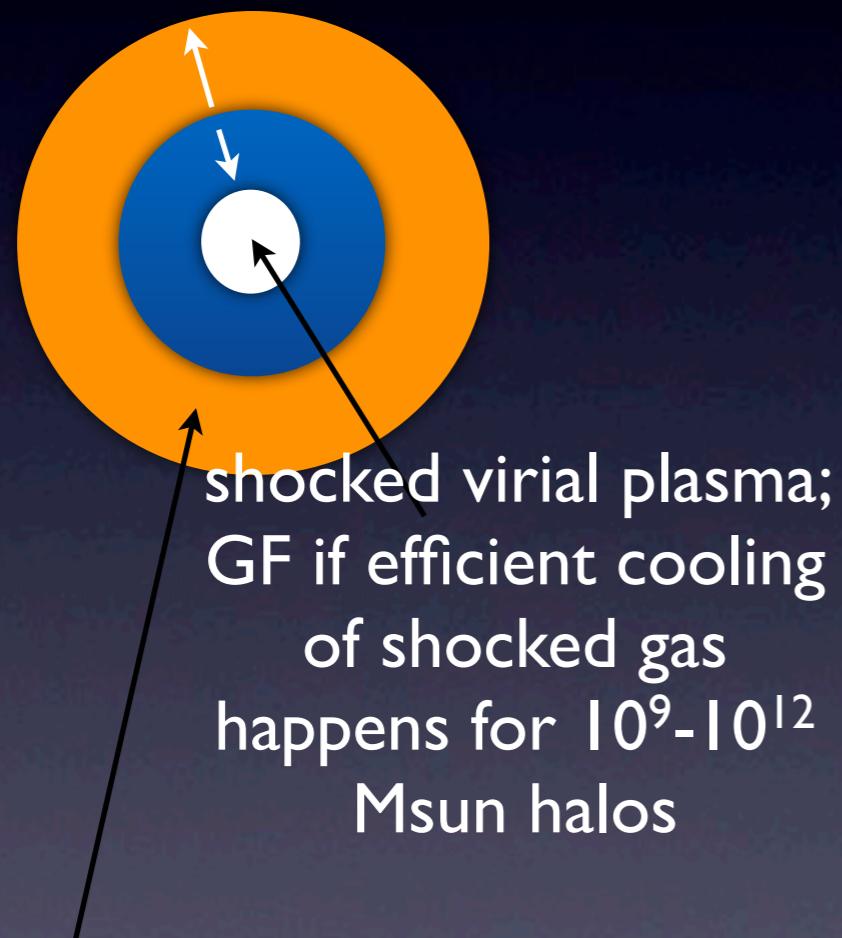
cooling picks out a sweet spot for galaxy formation

feedback is needed to suppress SF in both small and large halos

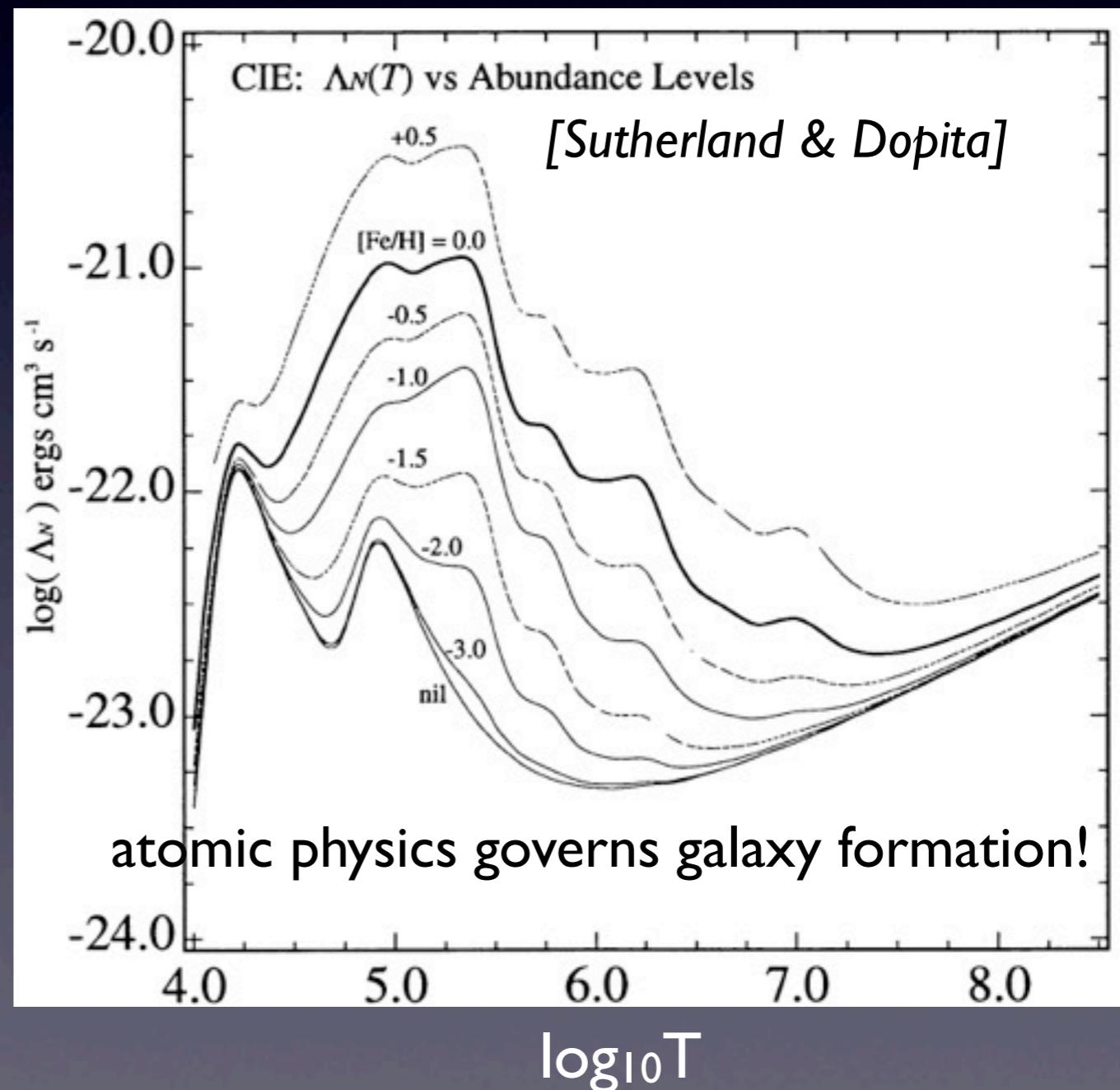
small: stellar/SN feedback
large: AGN/BH feedback

Physical model

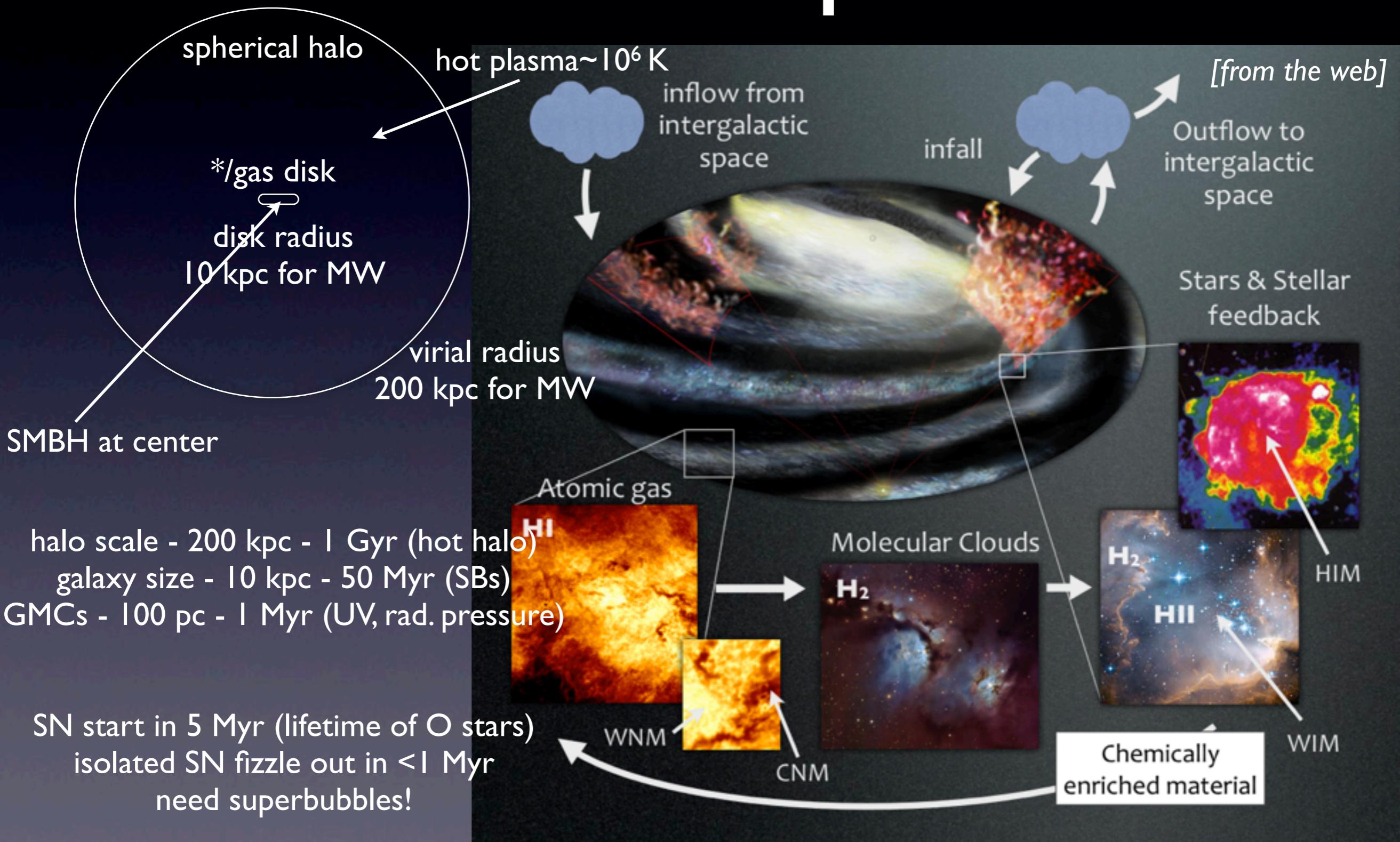
no mass-scale picked out by gravitational physics
self-similarity is broken by cooling



Hubble expansion
at large scales

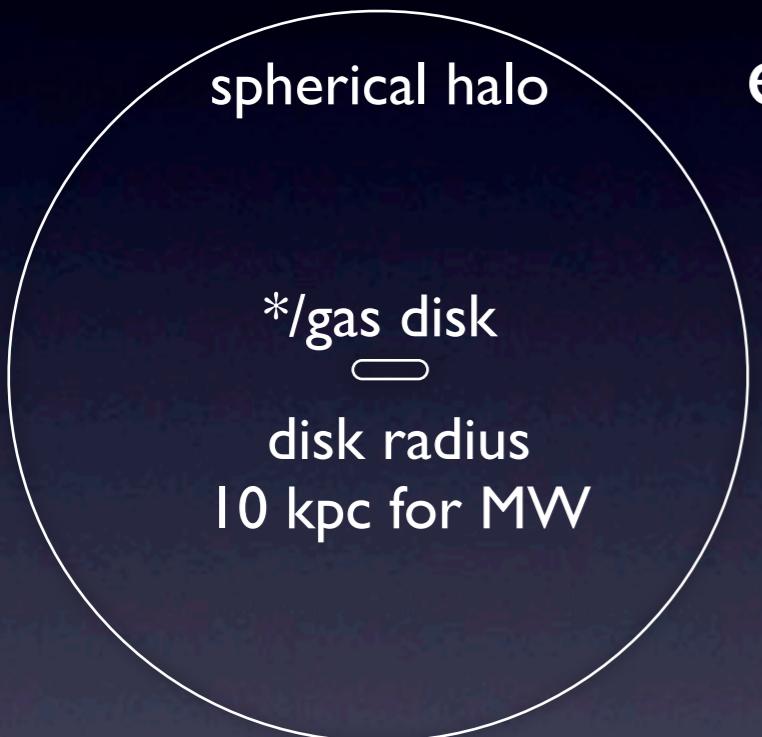


Scales in the problem



What's needed?

to unbind gas from the disk & control SF



energy: energy input rate > BE/(dynamical time)

$$\dot{E}_{\text{SN}} > f_g \frac{GM^2}{r(r/\sigma)}$$

$$\sigma^2 \approx GM/2r \Rightarrow \dot{E}_{\text{SN}} > \frac{4f_g}{G} \sigma^5$$

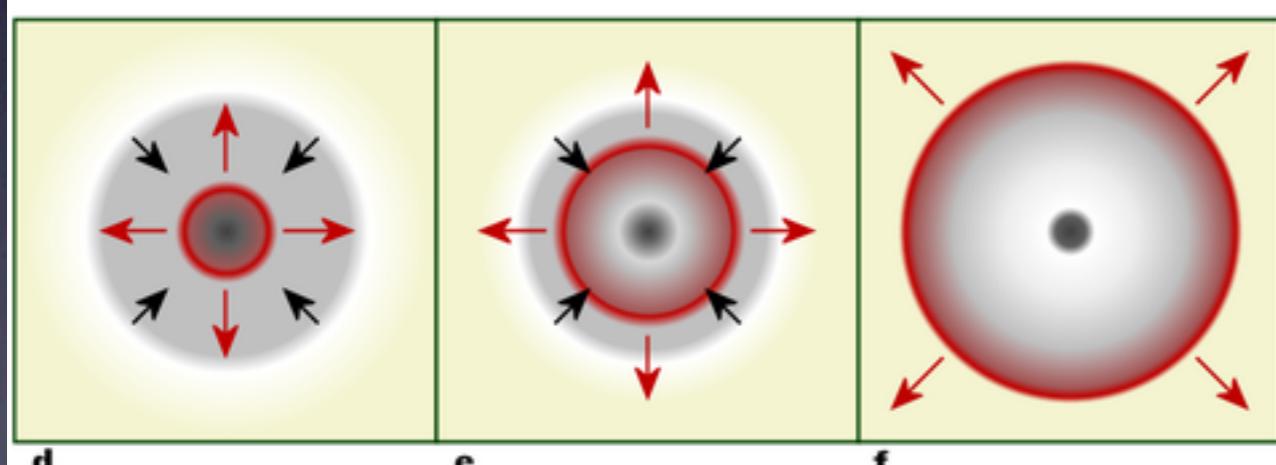
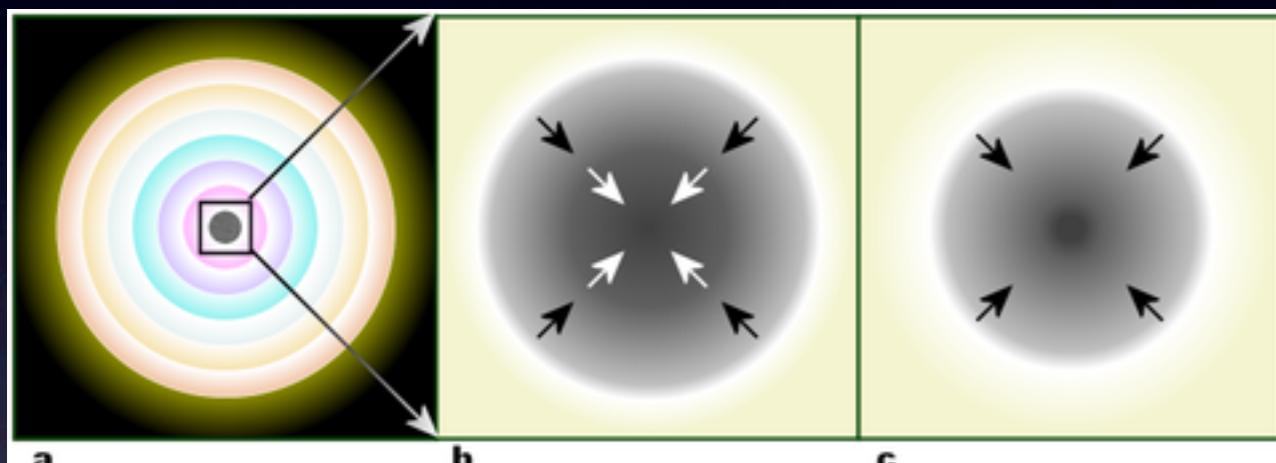
momentum: radiation force > gravity

$$\frac{L}{c} > f_g \frac{GM^2}{r^2} \Rightarrow L > \frac{4f_g}{G} \sigma^4 c$$

easy to push gas out of the shallow potential wells with small σ
SN thermal/energy feedback important if cooling losses are overcome
SBs can retain substantial energy!

CC Supernova

[Wikipedia]



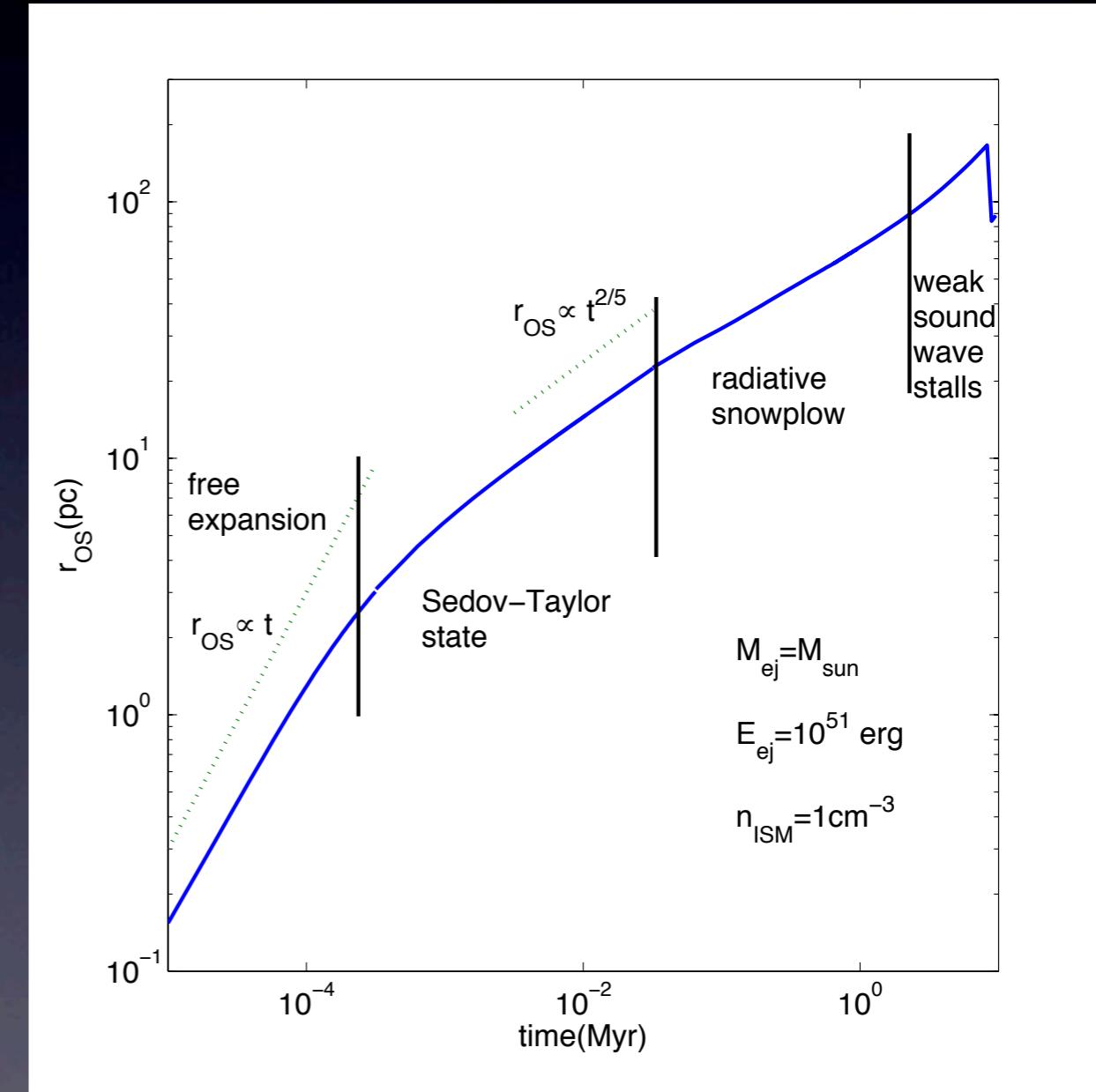
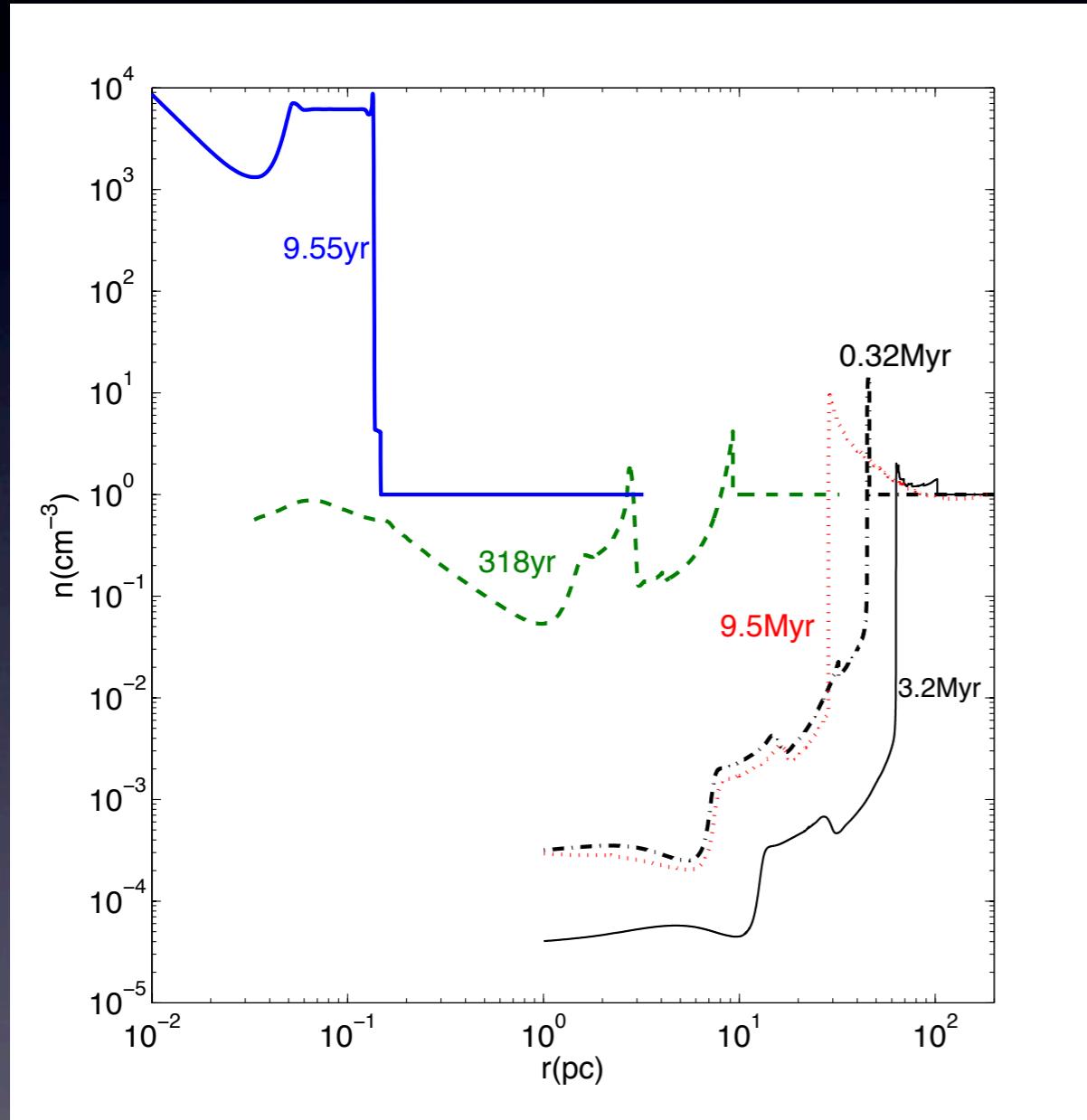
SN happens at the end stage of massive stars
1 SN for every $\sim 150 \text{ M}_{\text{sun}}$ of star formation

each SN produces $\sim 10^{51} \text{ erg}$

mechanical energy produced per gram of
SF: $\sim 10^{15} \text{ erg/g} \sim 10^{-6} \text{ c}^2$

SN evolution

interested in global (\gtrsim kpc) scale feedback, not inside molecular clouds



isolated SNe dissipate after a few Myr, 100 pc;
 dynamical timescale is \sim 100 Myr, therefore isolated SNe insufficient

Stars form in clusters

stars form in clusters of size $\sim 10s$ pc
supernovae go off in dilute bubbles created by
previous SN can retain energy over 50 Myr,
enough to unbind disk gas

SCs put in almost constant mechanical luminosity

$$\frac{dE}{dt} \propto \frac{dn(M)}{dM} \frac{dM}{dt} \propto M^{-2.35} \frac{M}{t_{\text{MS}}}$$

$$t_{\text{MS}} \approx 30 \text{ Myr} \left(\frac{M}{10M_{\odot}} \right)^{-1.6}$$

30 pc, R136 in LMC



young stars buried in dust clouds

$$\frac{dE}{dt} \propto t^{2.35/1.6} t^{-1/1.16-1} \propto t^{-0.16}$$

HI shells & supershells

HI SHELLS AND SUPERSHELLS

CARL HEILES

Astronomy Department, University of California, Berkeley

Received 1978 August 7; accepted 1978 November 1

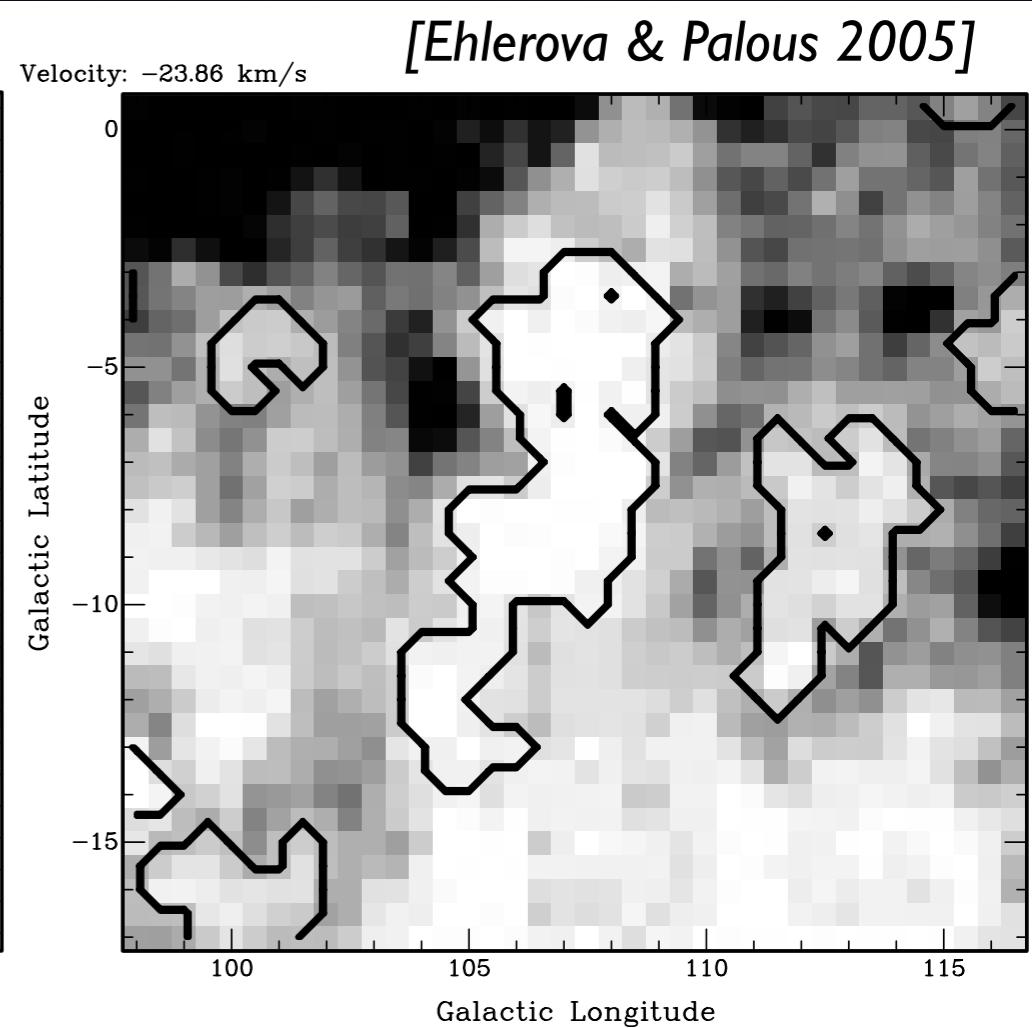
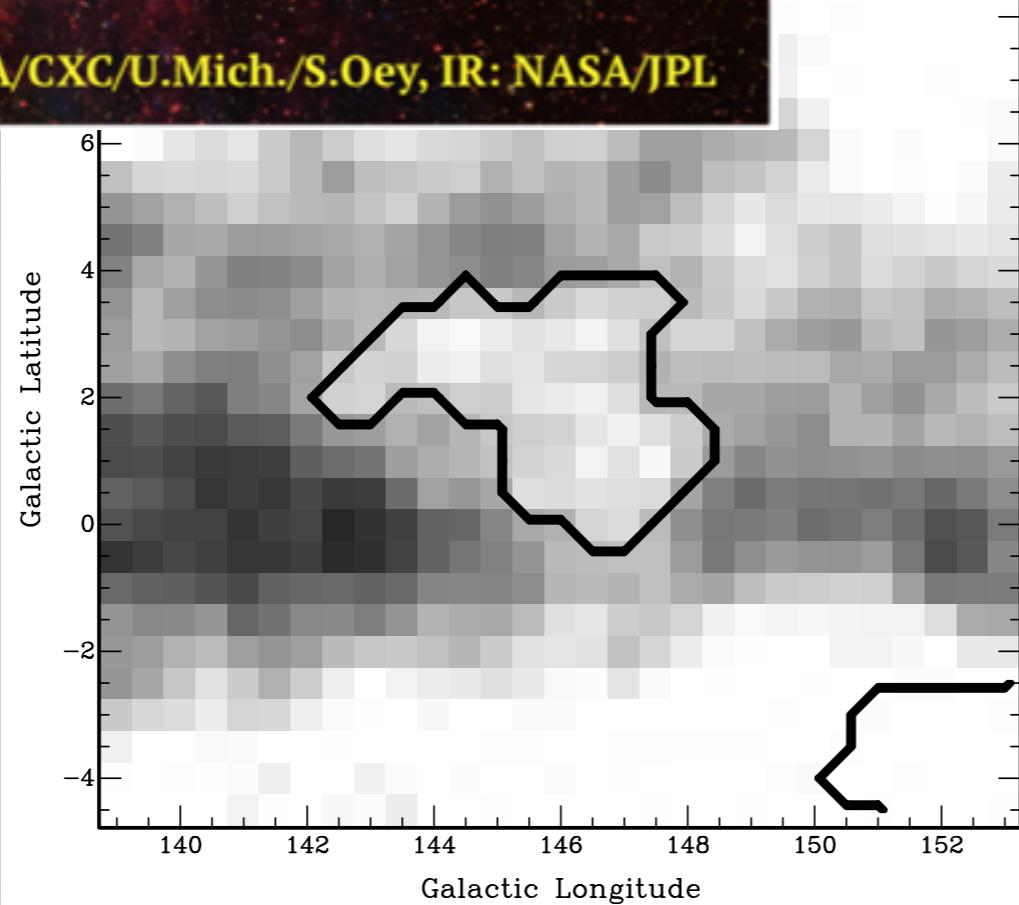
require $10-10^4$ SN

TABLE 2
EXPANDING HI SHELLS

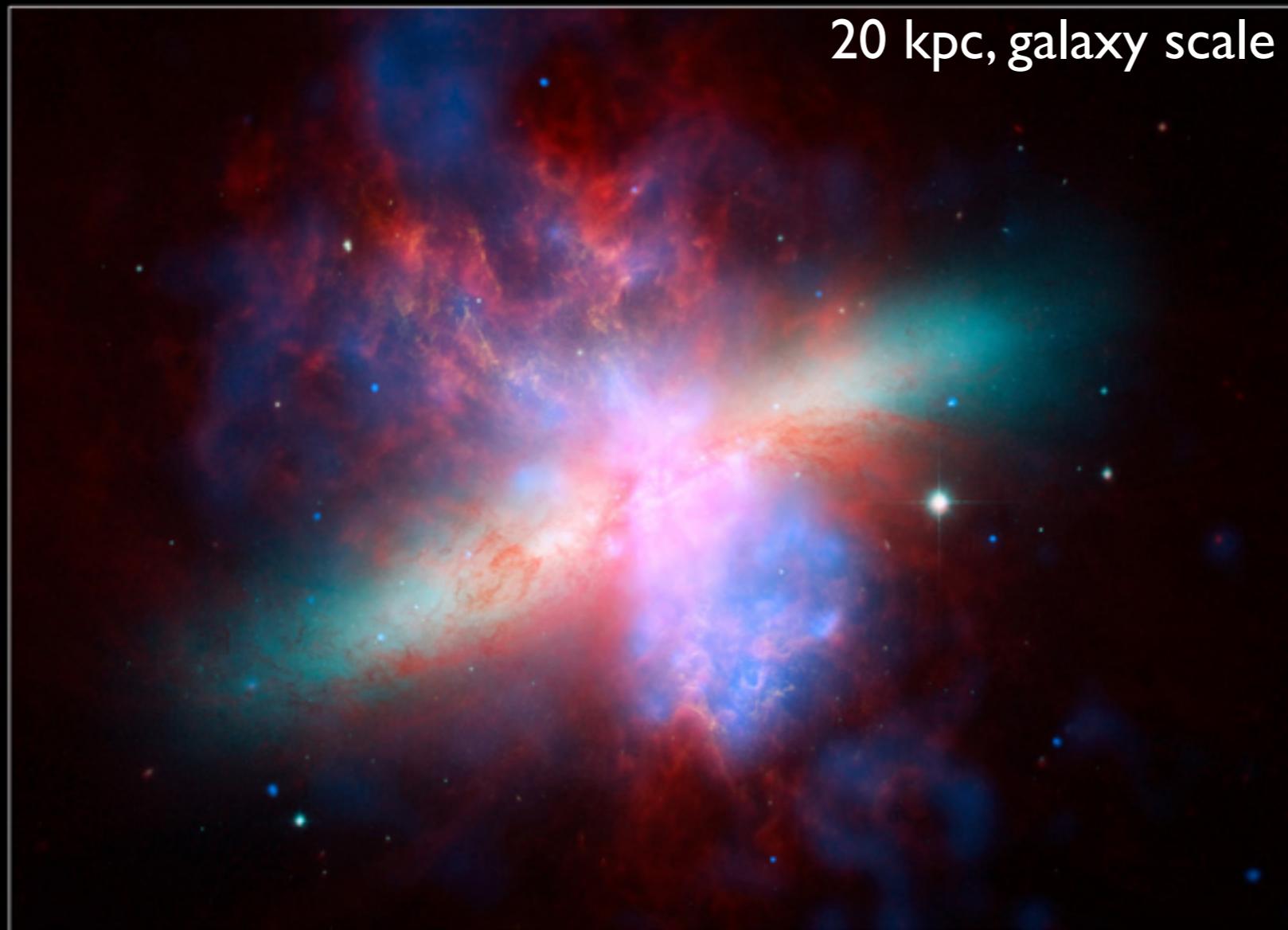
Name (1)	Δl (deg) (2)	Δb (deg) (3)	V_{\min} (km s $^{-1}$) (4)	V_{\max} (km s $^{-1}$) (5)	R_{gal} (kpc) (6)	D (kpc) (7)	$\log R_{\text{sh}}$ (pc) (8)	$\log n_0$ (cm $^{-3}$) (9)	$\log M$ (M_{\odot}) (10)	V_{sh} (km s $^{-1}$) (11)	$\log E_k$ (ergs) (12)	$\log E_E$ (ergs) (13)	Conf. (14)
GS 016-01+71.....	3	2	+53	+73	4.3	6.3	2.1	+0.3	5.8	18	51.6	52.4	2
GS 022+01+139.....	4	3	+121	+141	2.1	9.5	2.5	-0.2	6.4	18	52.2	53.0	1
GS 029+00+133.....	5?	?	+113	+141	4.8	8.7	2.6	-0.9	6.3	20	52.2	52.6	1
GS 041+01+27.....	14	12	+25	+37	8.6	2.0	2.4	+0.4	6.7	10	52.0	52.9	1
GS 057+01-33.....	8	3	-35	-15	11.8	13.8	2.8	-0.5	7.0	18	52.8	53.6	1
GS 061+00+51.....	3	4	+37	+53	8.7	4.8	2.2	0.0	5.7	14	51.3	52.1	1
GS 064-01-97.....	11	6	-99	-75	16.1	16.9	3.1	-1.2	7.1	22	53.1	53.8	1
GS 071+06-135.....	12?	11?	-135	-119	20.7	21.6	3.3	-1.3	7.8	16	53.5	54.2	3
GS 075-01+39.....	11	6	+17	+41	9.7	2.6	2.3	+0.2	6.2	22	52.2	52.9	1
GS 088+02-103.....	7	5	-119?	-79	17.0	12.6	2.8	-0.3	7.3	24	53.4	54.1	2
GS 095+04-113.....	10	5	-123	-103	17.0	12.9	2.9	-0.6	7.3	10	52.6	53.5	1
GS 103+05-137.....	6?	13?	-139	-123	20.4	15.6	3.1	-1.4	7.0	14	52.6	53.4	2
GS 108-04-23.....	5	11?	-39	-15	11.0	2.5	2.2	+0.4	6.1	16	51.9	52.7	1
GS 123+07-127.....	8	8	-131	-115	22.2	15.1	3.2	-1.7	7.4	12	52.9	53.3	2
GS 139-03-69.....	18	10	-87	-59	16.0	7.1	3.3	-0.8	8.2	18	54.0	54.8	3
GS 224+03+75.....	11	7	+61	+77	16.3	7.6	2.8	-0.5	7.0	14	52.6	53.4	2
GS 242-03+37.....	15	15	+33	+57	12.1	3.6	2.7	+0.3	7.5	20	53.4	54.2	3

N44 nebula in LMC

HI shells & superbubbles



Overlapping SNe feedback



Active Galaxy M82
Hubble Space Telescope • Chandra X-Ray Observatory • Spitzer Space Telescope

NASA, ESA, CXC, and JPL-Caltech

STScI-PRC06-14c

200 super star
clusters within 200 pc
of core

overlapping SN input
mechanical energy &
lead to galactic winds

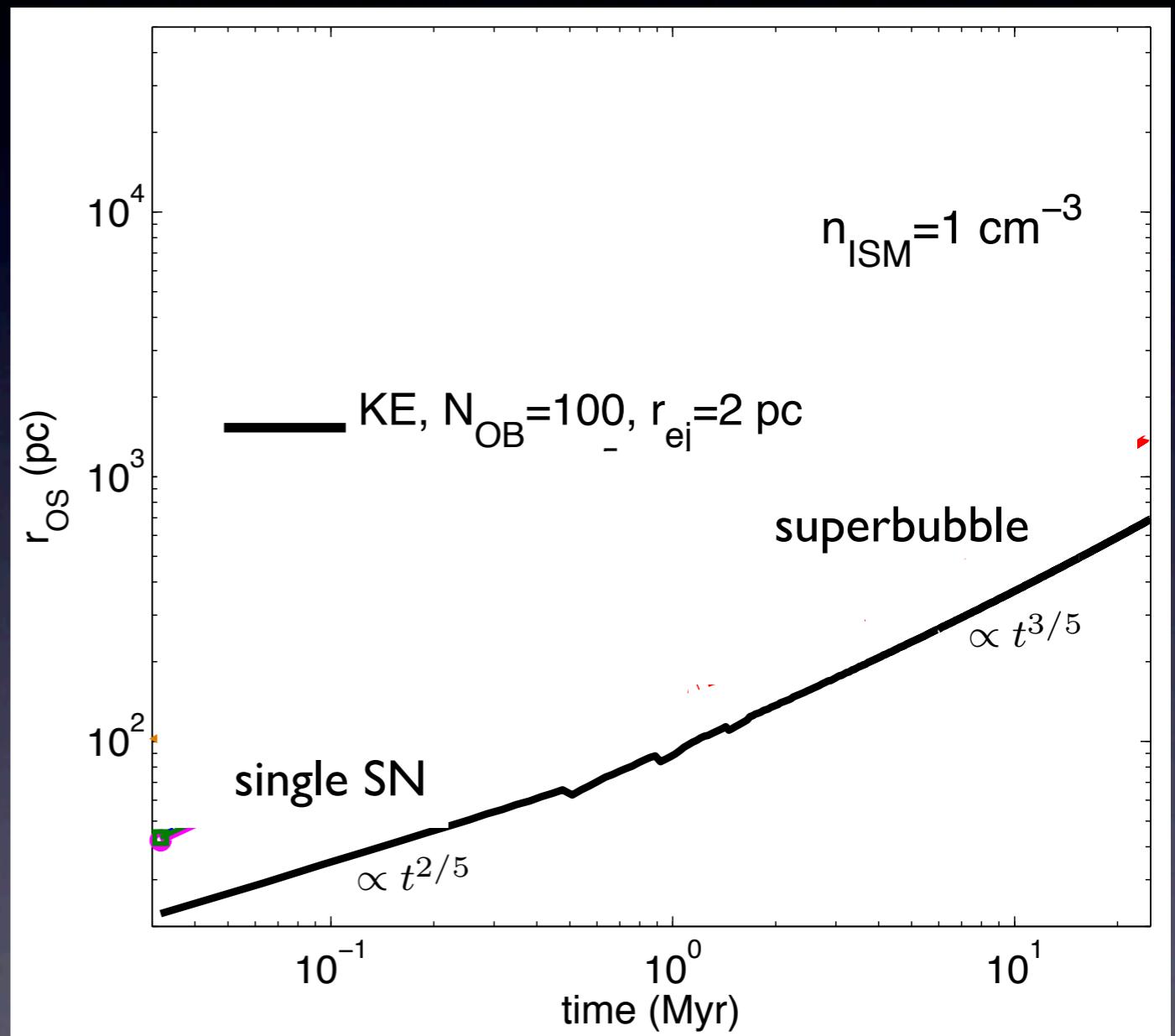
SB evolution

[Sharma et al. 2014]

10^{51} erg in form of ejecta KE is put in at $r=0$ after every t_{SN} in uniform ISM

classic dimensional argument:

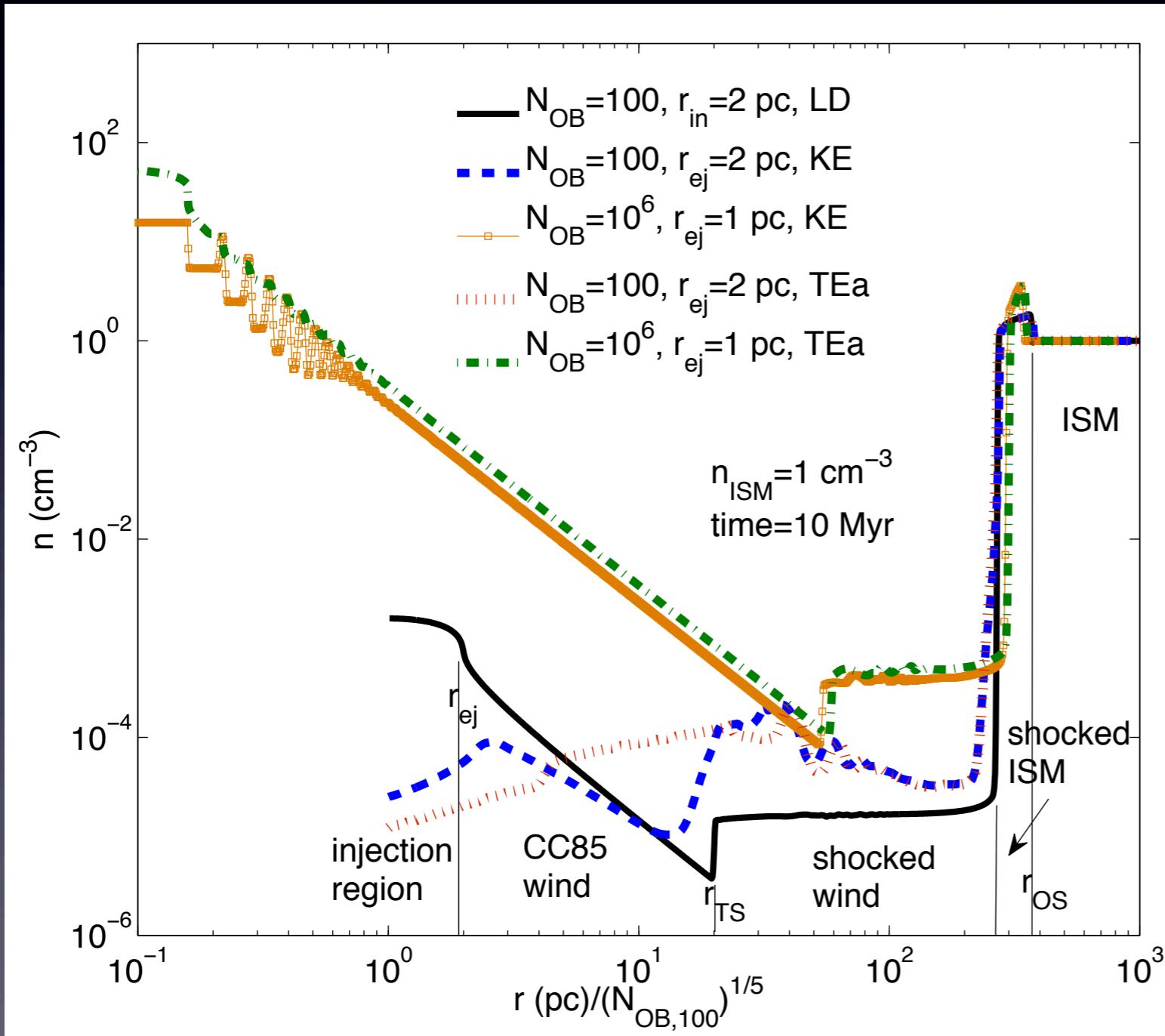
$$R_{SN} = \left(\frac{Et^2}{\rho} \right)^{1/5}$$
$$R_{SB} = \left(\frac{Lt^3}{\rho} \right)^{1/5}$$



NOB: number of OB stars/SNe over 30 Myr; $N_{OB}=100$ corresponds to $10^{38} \text{ erg s}^{-1}$

Wind-bubble structure

[Sharma et al. 2014]



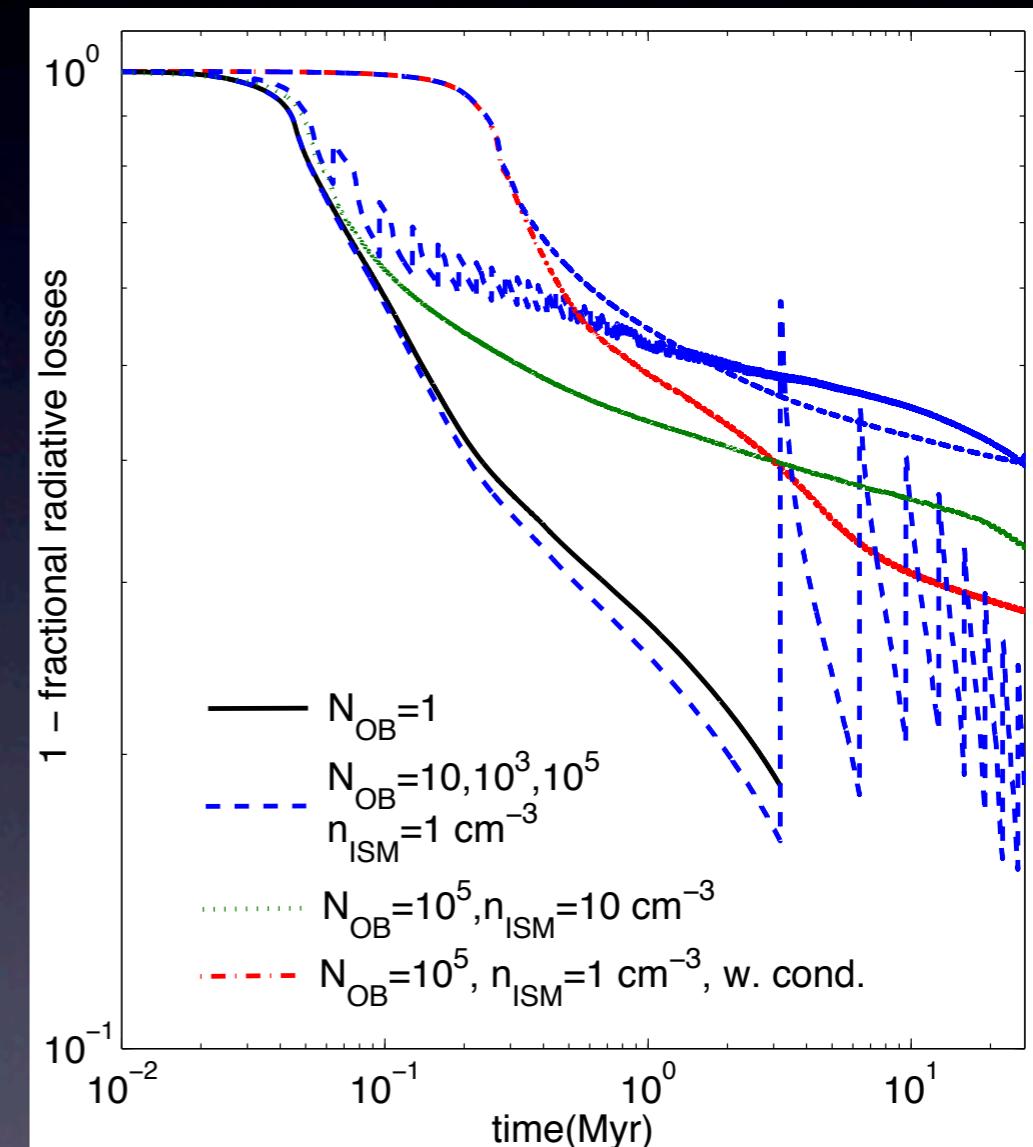
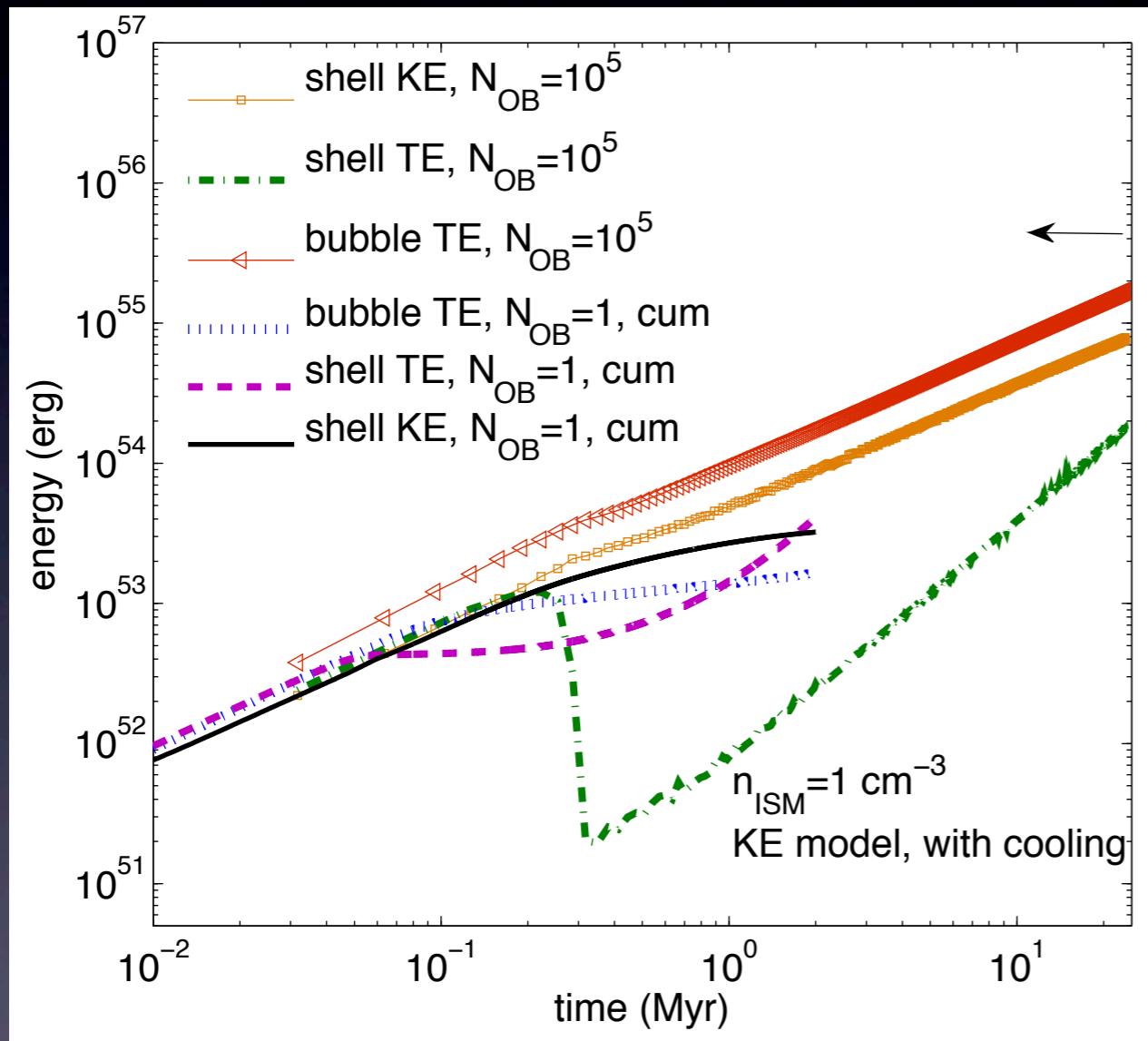
adiabatic scaling holds in absence of cooling

wind-bubble structure:
outer-shock, contact discontinuity,
termination shock,
CC85 wind

CC85 wind results only for a large SSC/N_{OB} s. t. SN thermalizes before hitting TS also verified in 3-D sims.

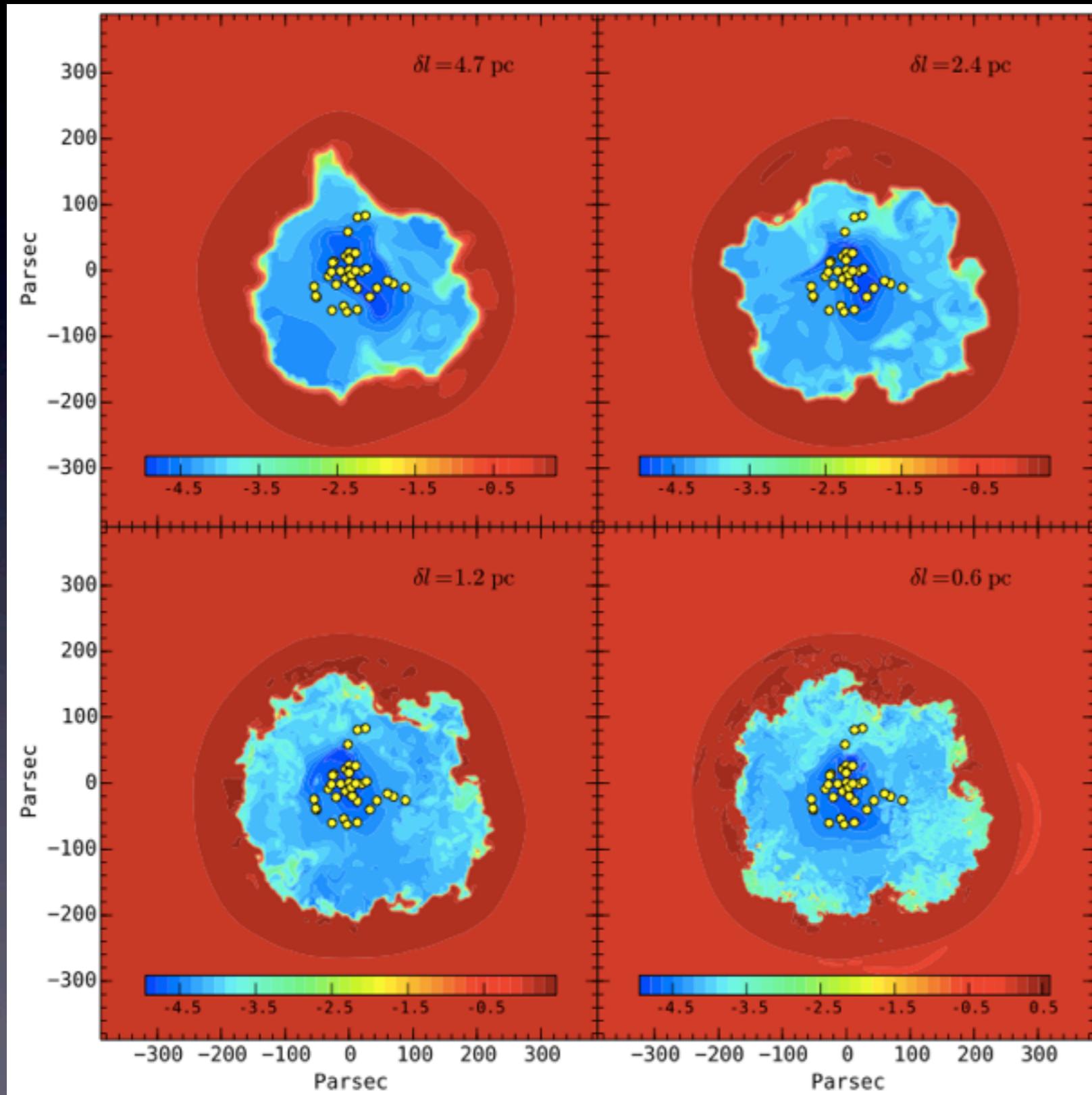
Energetics w. cooling

[Sharma et al. 2014]



while isolated SN totally fizzle out by few Myr, SBs retain >20% of the energy put in as long as SNe go off in the center

realistic 3-D sims.



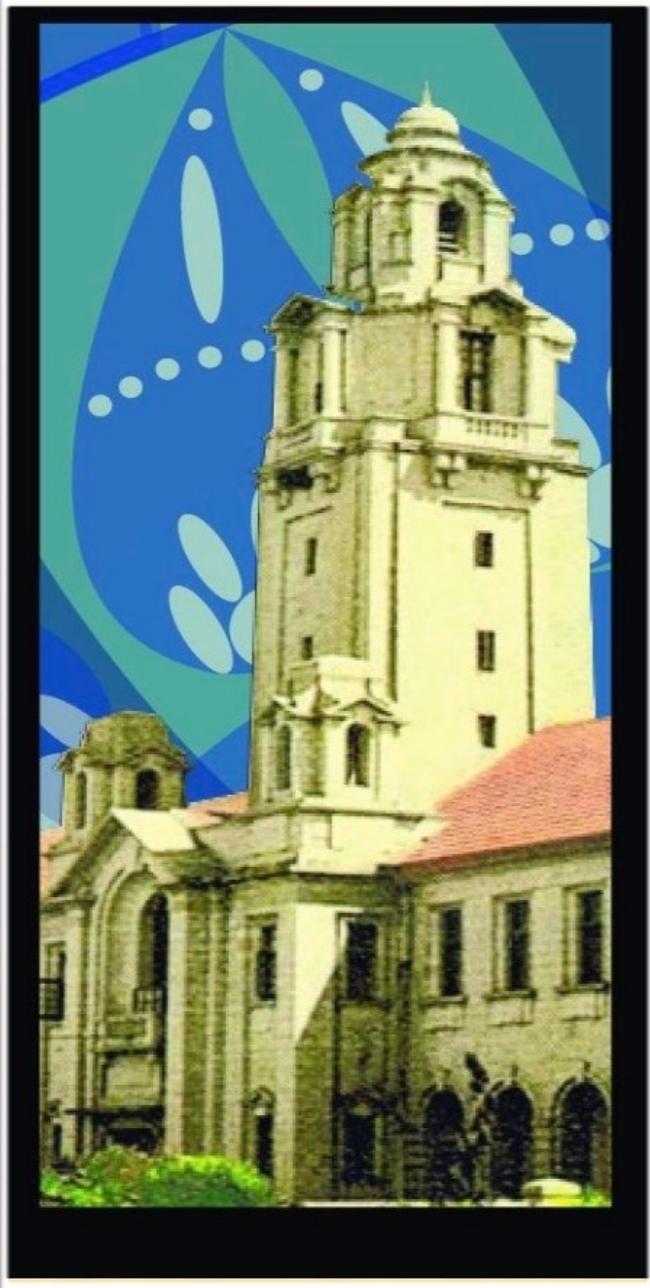
10^{51} erg thermal energy deposited/SN
100 SN in $r=100 \text{ pc}$
cooling off below 10^4 K

mimicking a cluster

previously SN at same point

using PLUTO code,
conserving total energy

Special thanks to SERC:



SahasraT
Cray XC40 Supercomputer

using up to
22000 cores

scales well



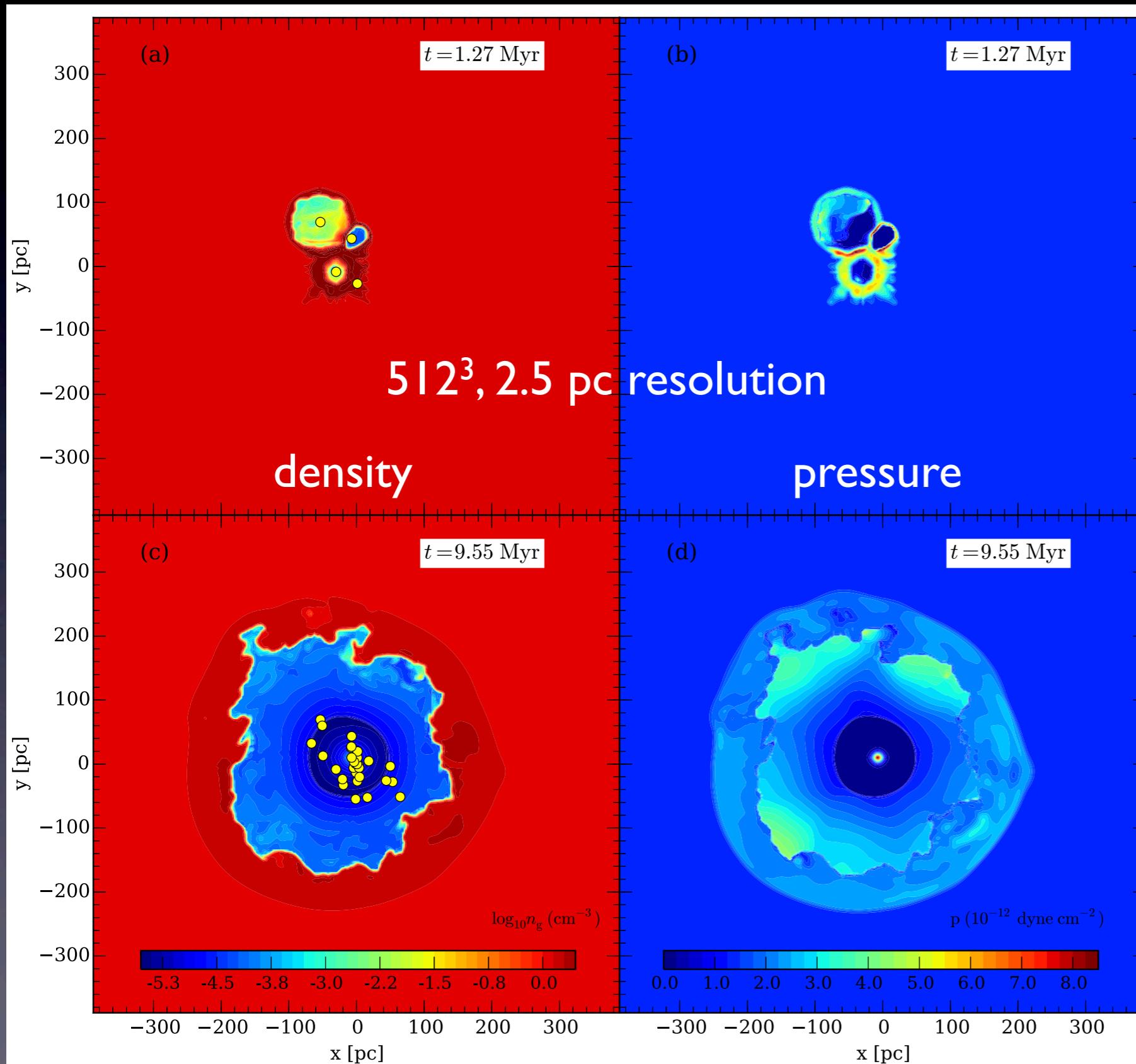
g thermal energy
posed/SN
N in $r=100$ pc

cking a cluster

viously SN at
ame point

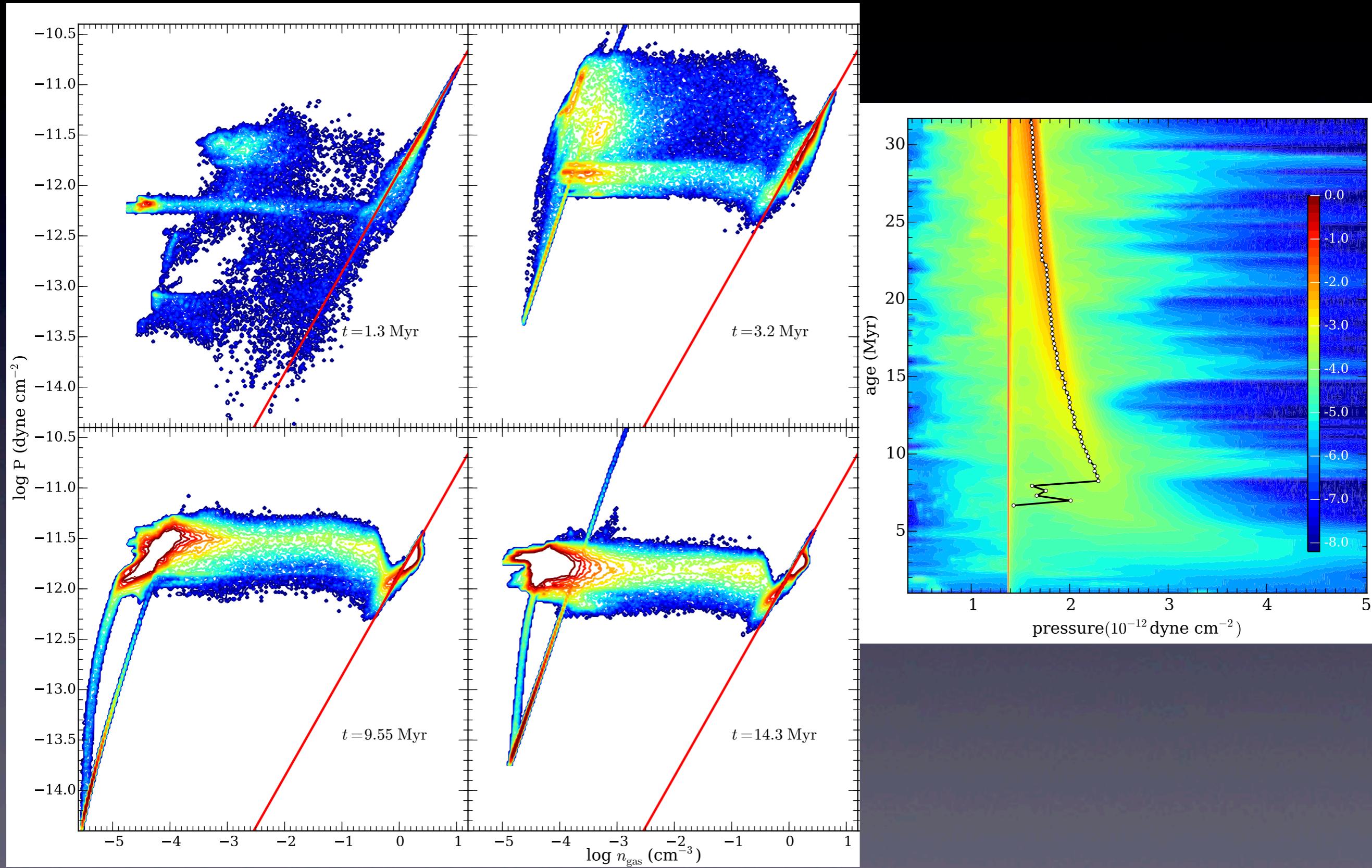
PLUTO code,
ing total energy

SNe to superbubble

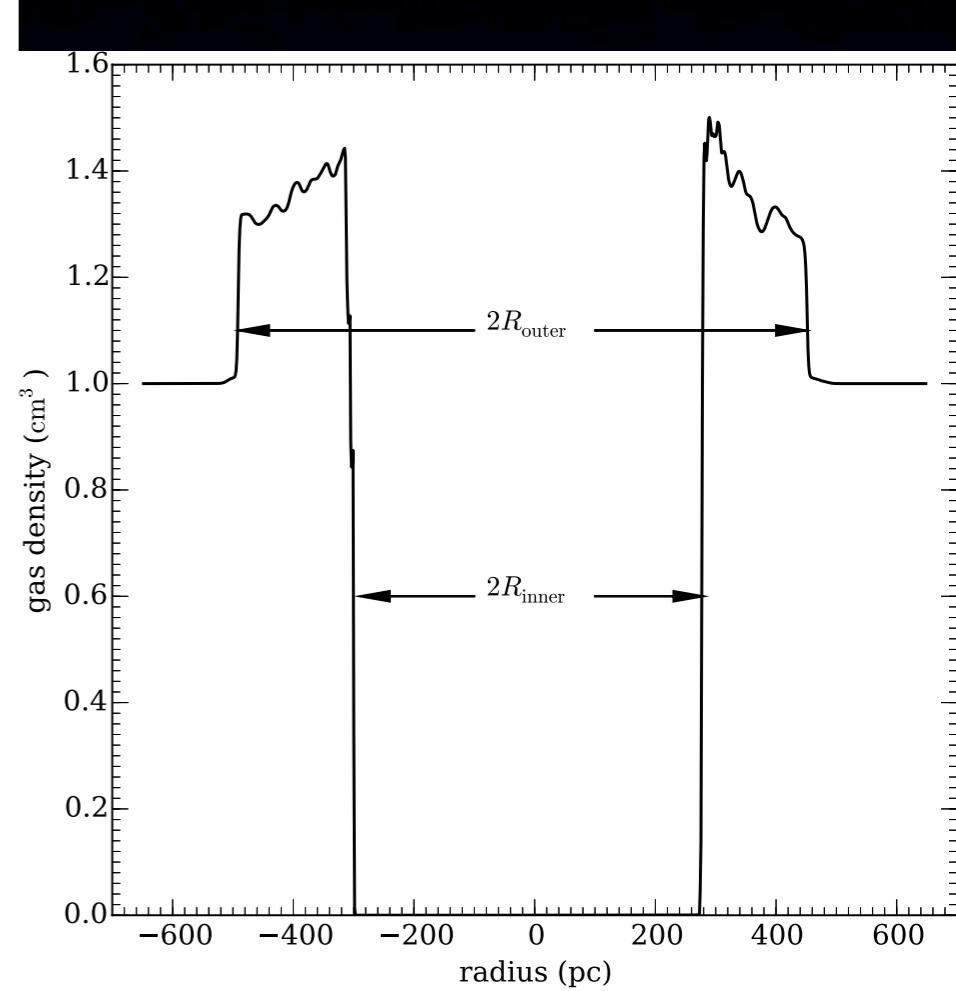
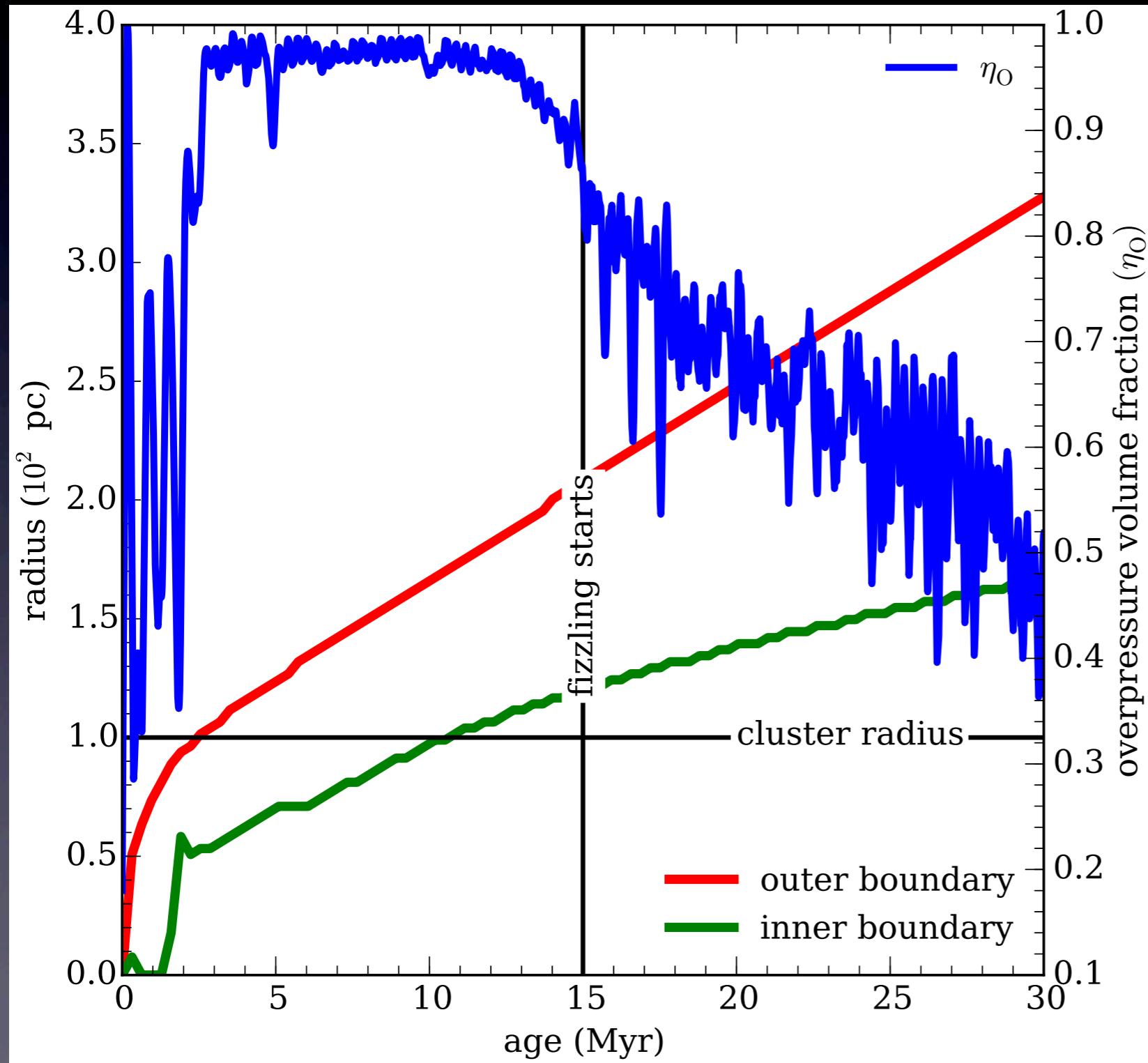


key parameters:
cluster size, r_{cl}
ISM density, n_g
number of SNe, N_{OB}

P- n_g evolution

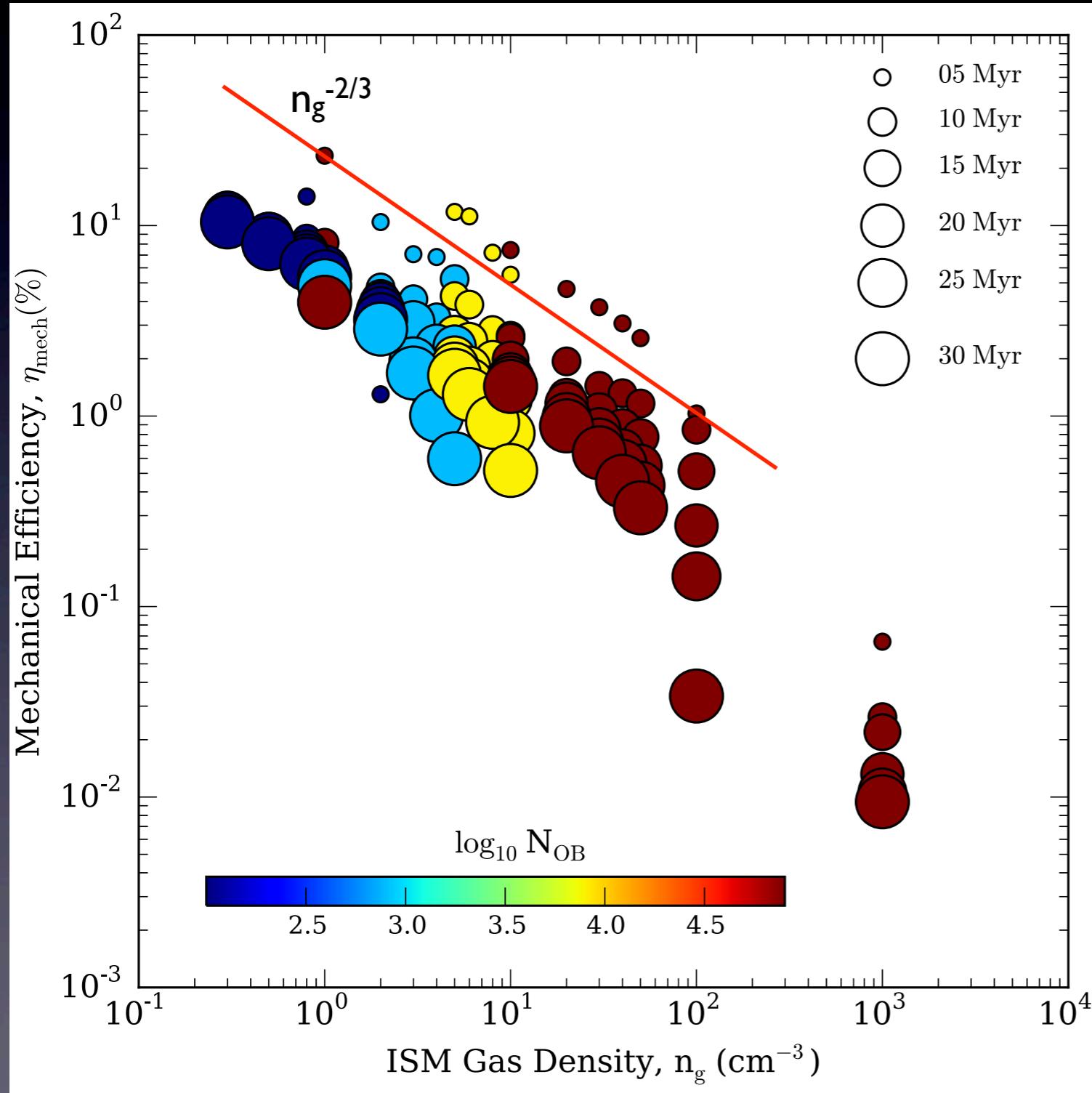


SB evolution



OP fraction: def. ind. of box size
 fizzled out when
 bubble pressure falls below
 1.5 times the ISM value

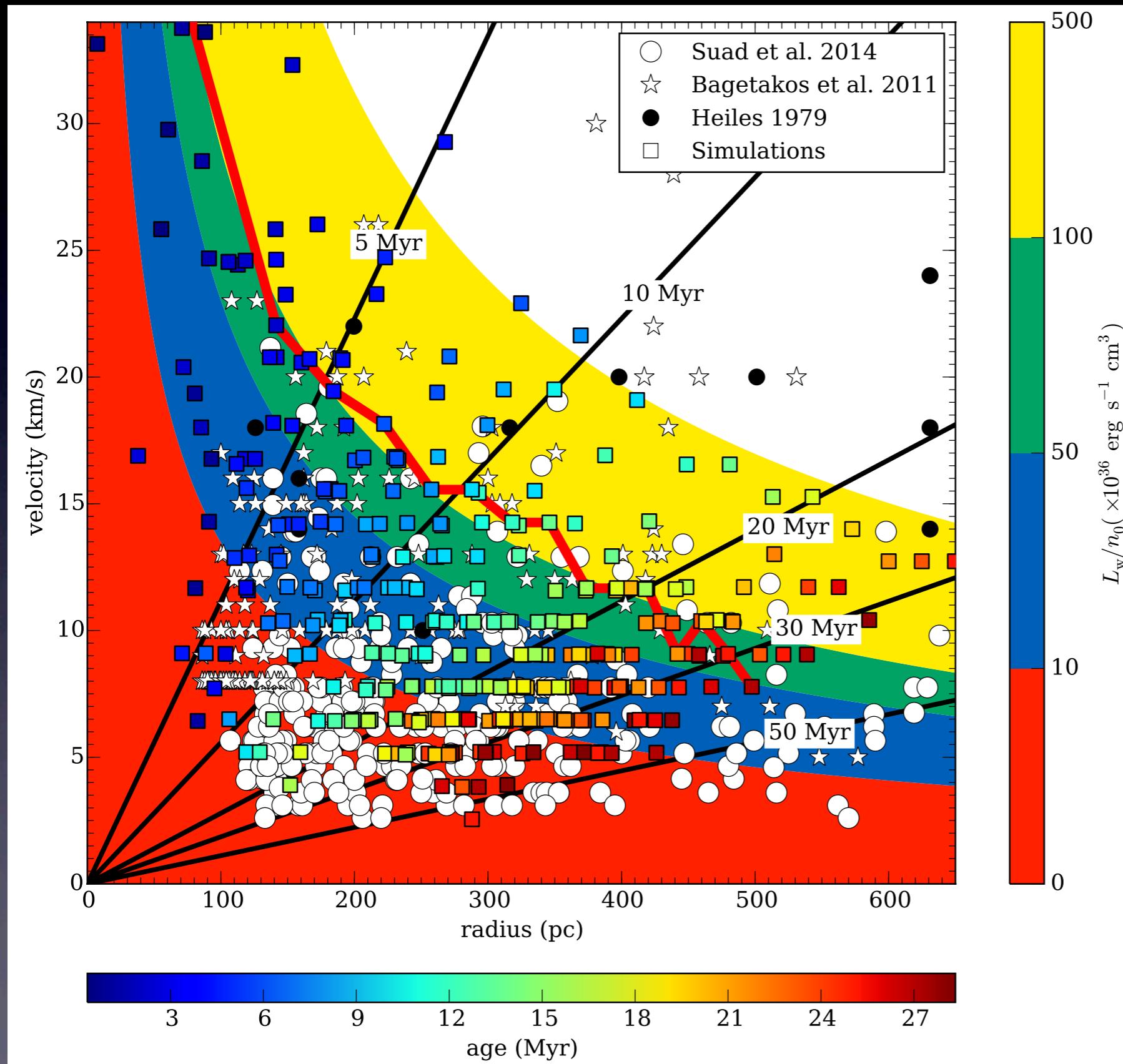
Mechanical Efficiency



we conserve energy exactly

efficiency to retain
mechanical energy falls with
time and ISM density

r-v plot



$$R \sim \left(\frac{Lt^3}{\rho} \right)^{1/5}$$

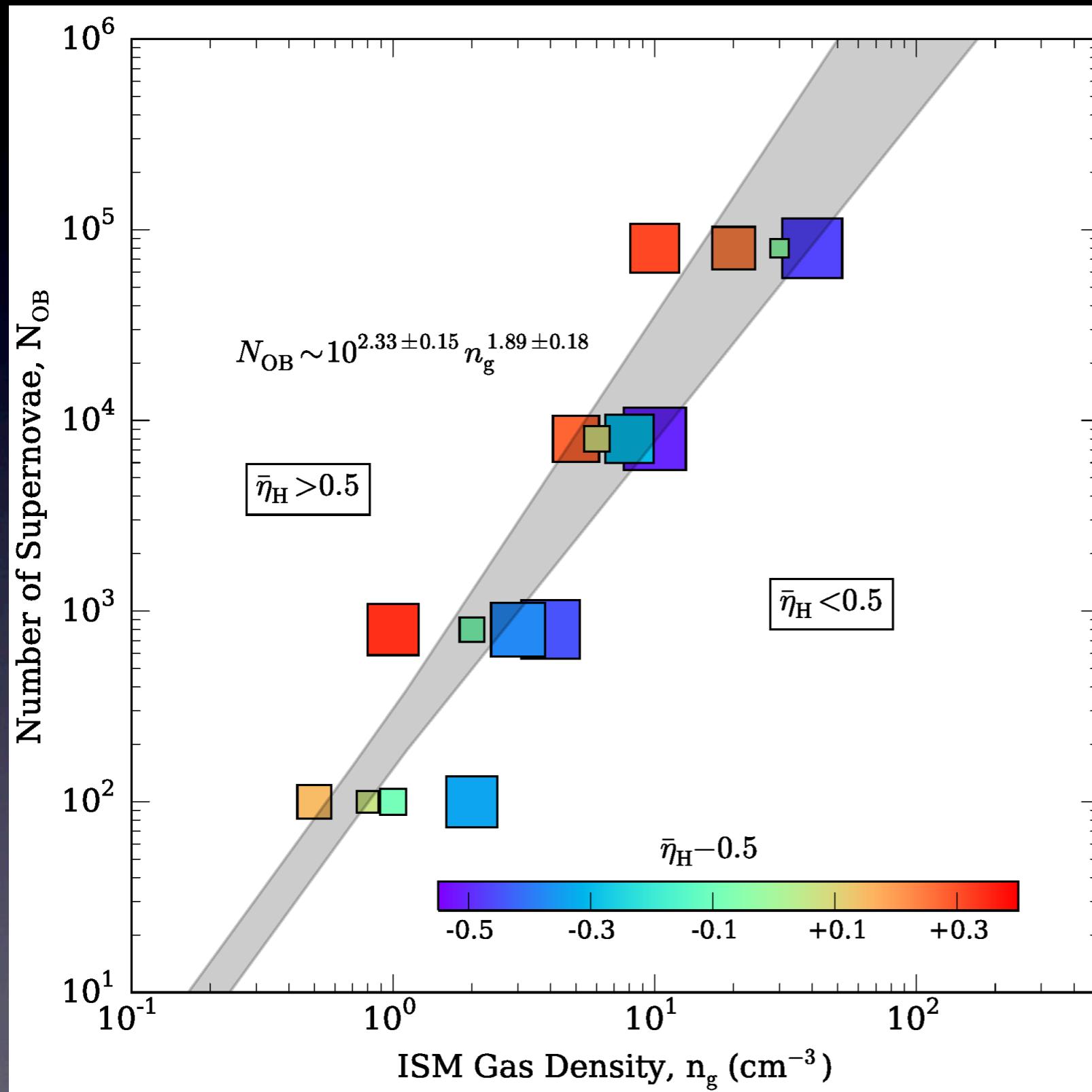
$$v \sim \frac{3}{5} \left(\frac{L}{\rho t^2} \right)^{1/5}$$

$$v \sim \frac{3R}{5t} \sim \frac{3}{5} \left(\frac{L}{\rho R^2} \right)^{1/3}$$

r-v plot from sims
matches observations
quite different from
simple theory

red line: NOB=1000,
 $n_g=1 \text{ cm}^{-3}$
matches 10 times
lower luminosity!

Critical N_{OB} vs n_g



require a critical N_{OB} to maintain large pressure at late times, even if cluster size is small

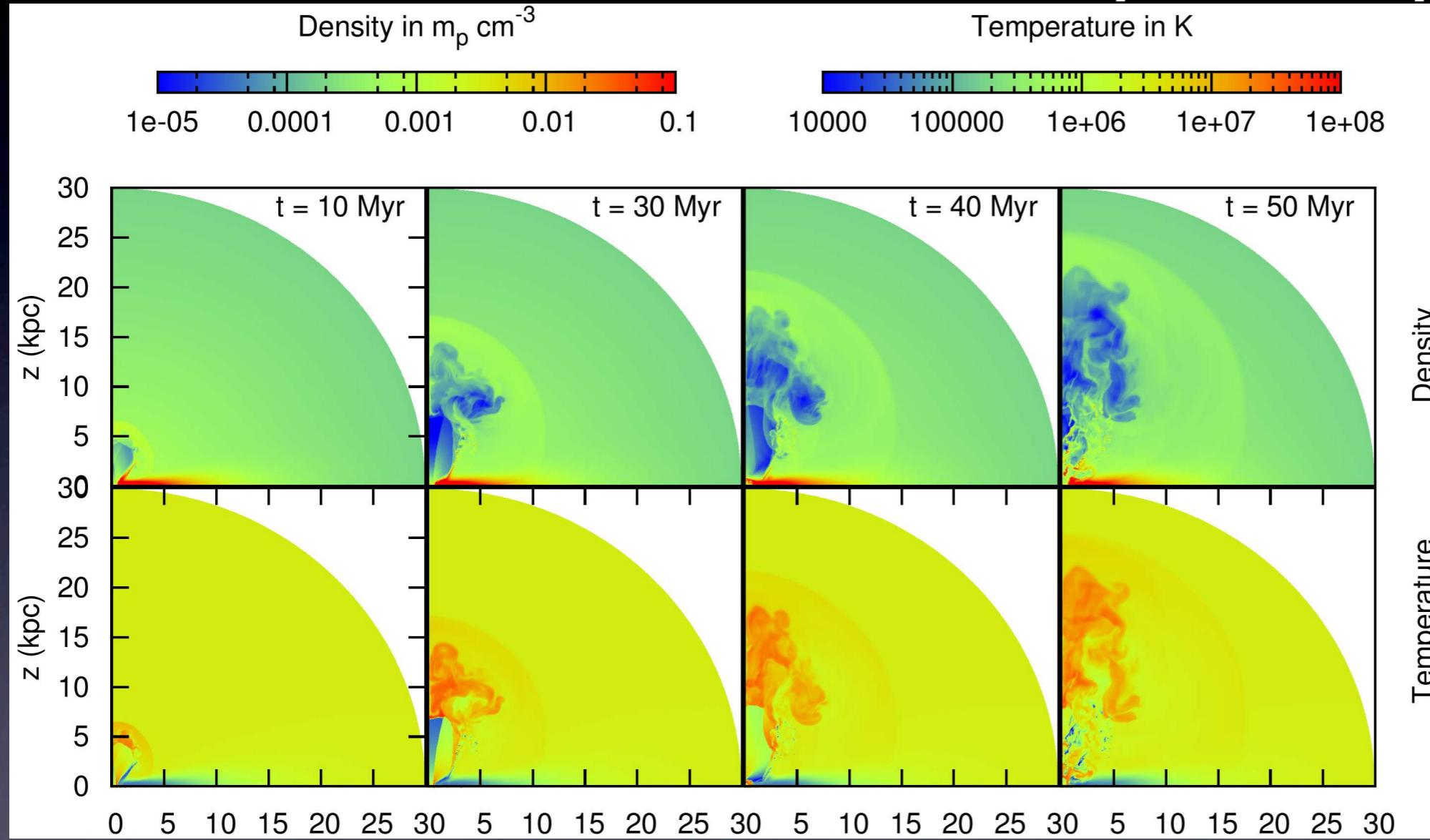
can be understood if mechanical efficiency decreases with density

study is in progress trying to understand results

Galactic outflows

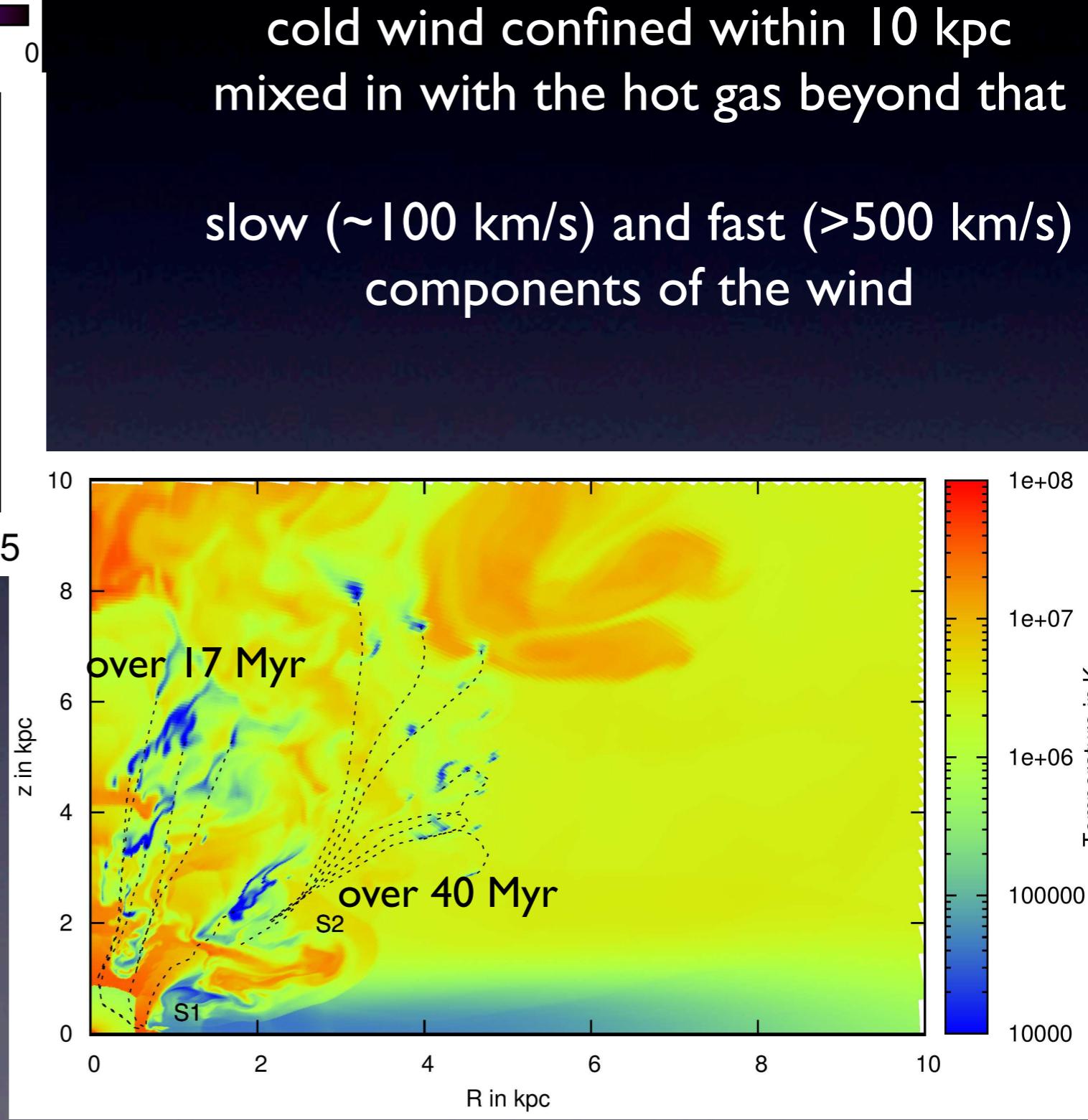
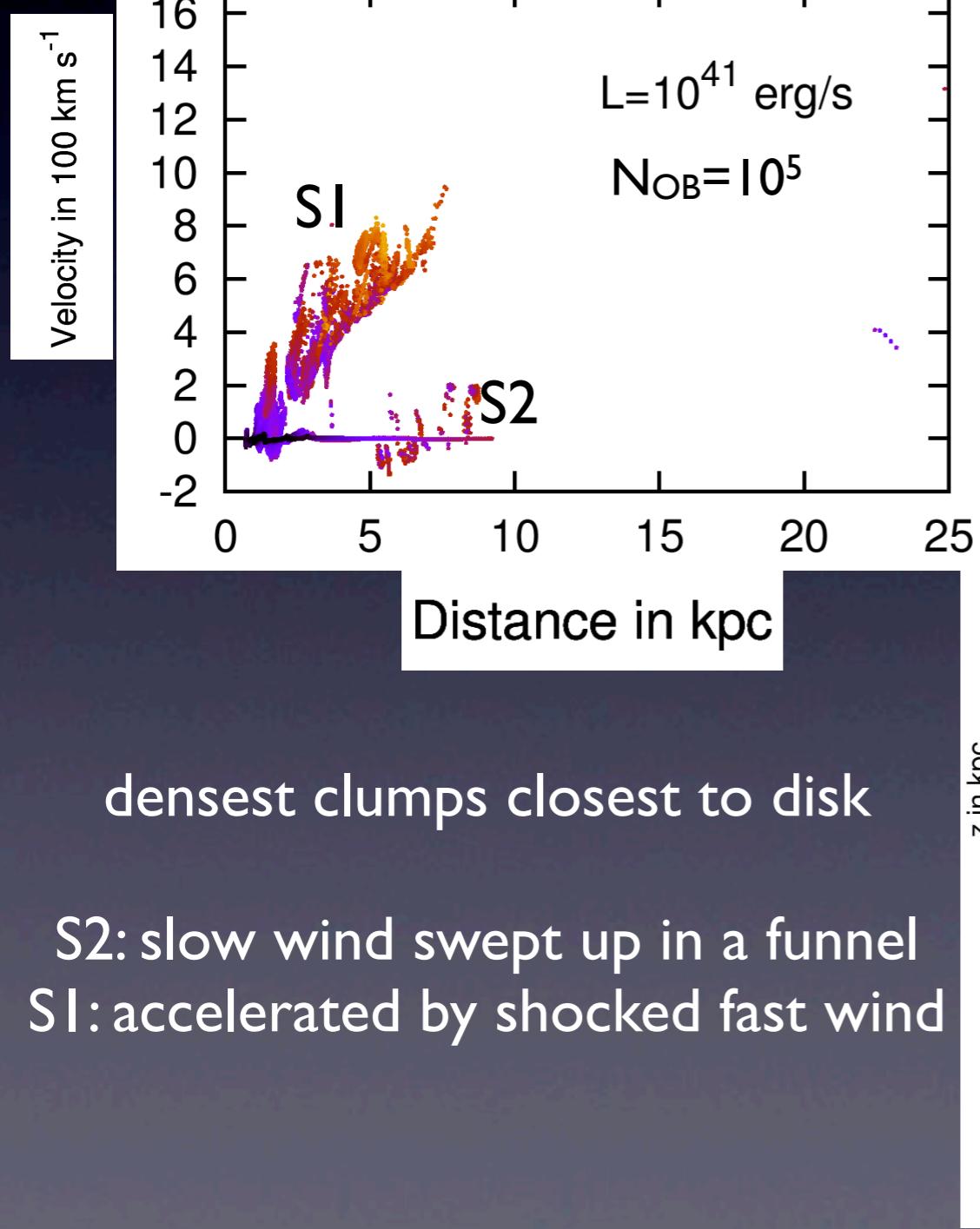
10^5 SN over 50 Myr; SFR ~ 0.7 Msun/yr

[Sarkar et al. 2014]



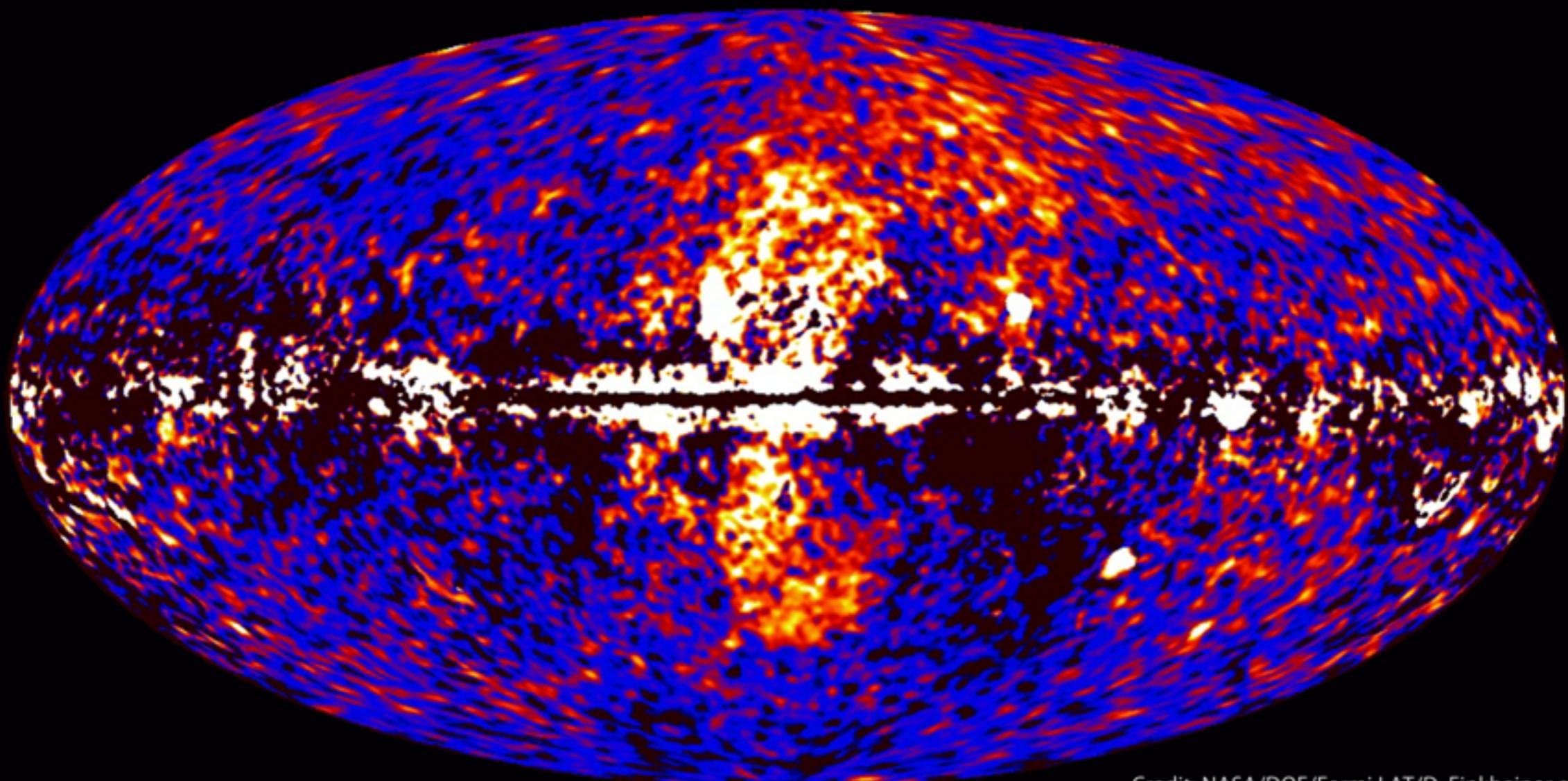
an equilibrium hot halo+rotating disk initialized
internal energy injected at small radius at a constant rate
SNe break out of the disk and pollute the halo with metals

Cold clouds



Fermi bubbles

Fermi data reveal giant gamma-ray bubbles

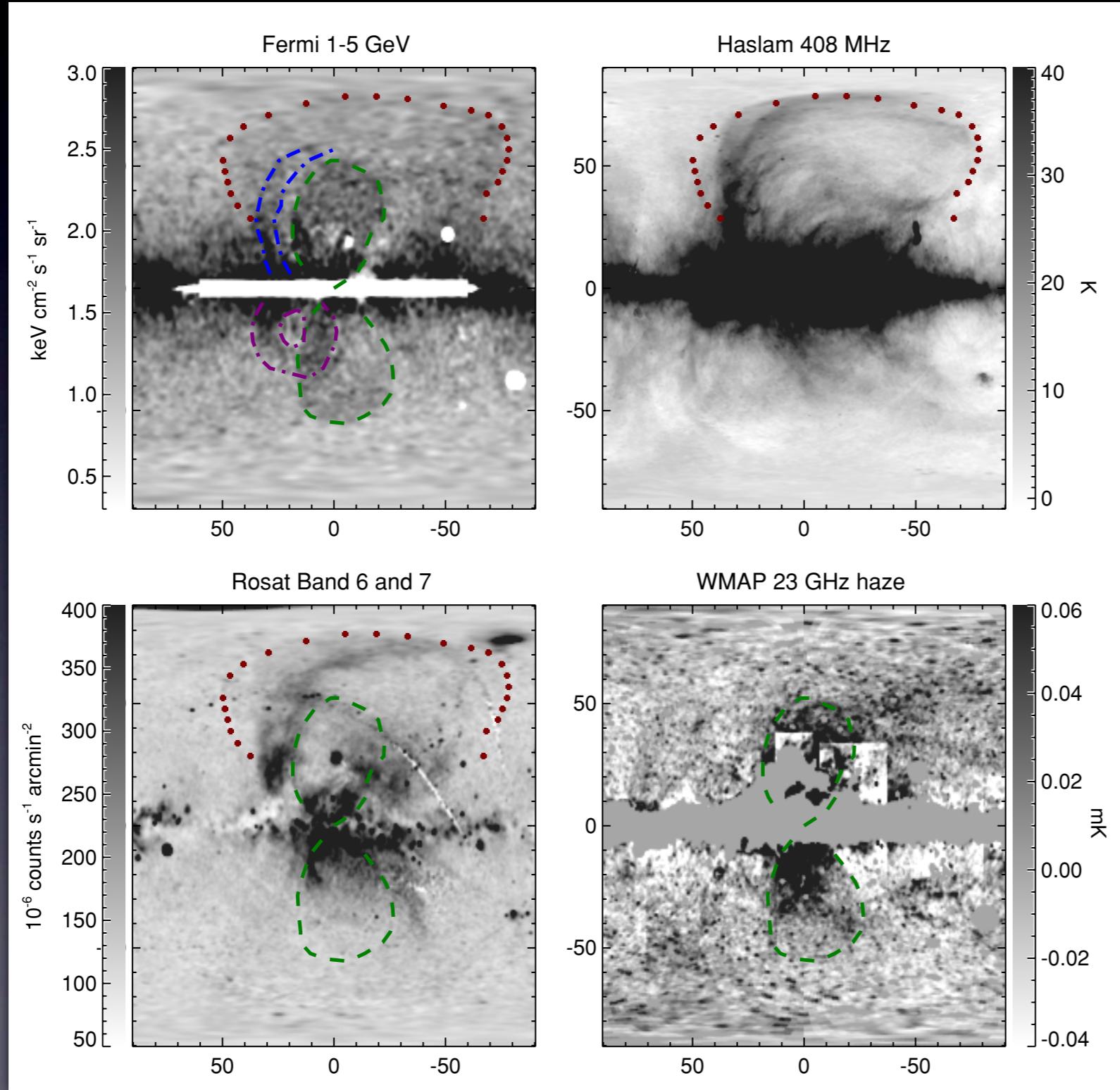


Credit: NASA/DOE/Fermi LAT/D. Finkbeiner et al.

gamma ray sky after we remove the foregrounds and known gamma ray sources
large 55° diffuse gamma ray emitting bubbles from both sides of MW disk

other wavebands

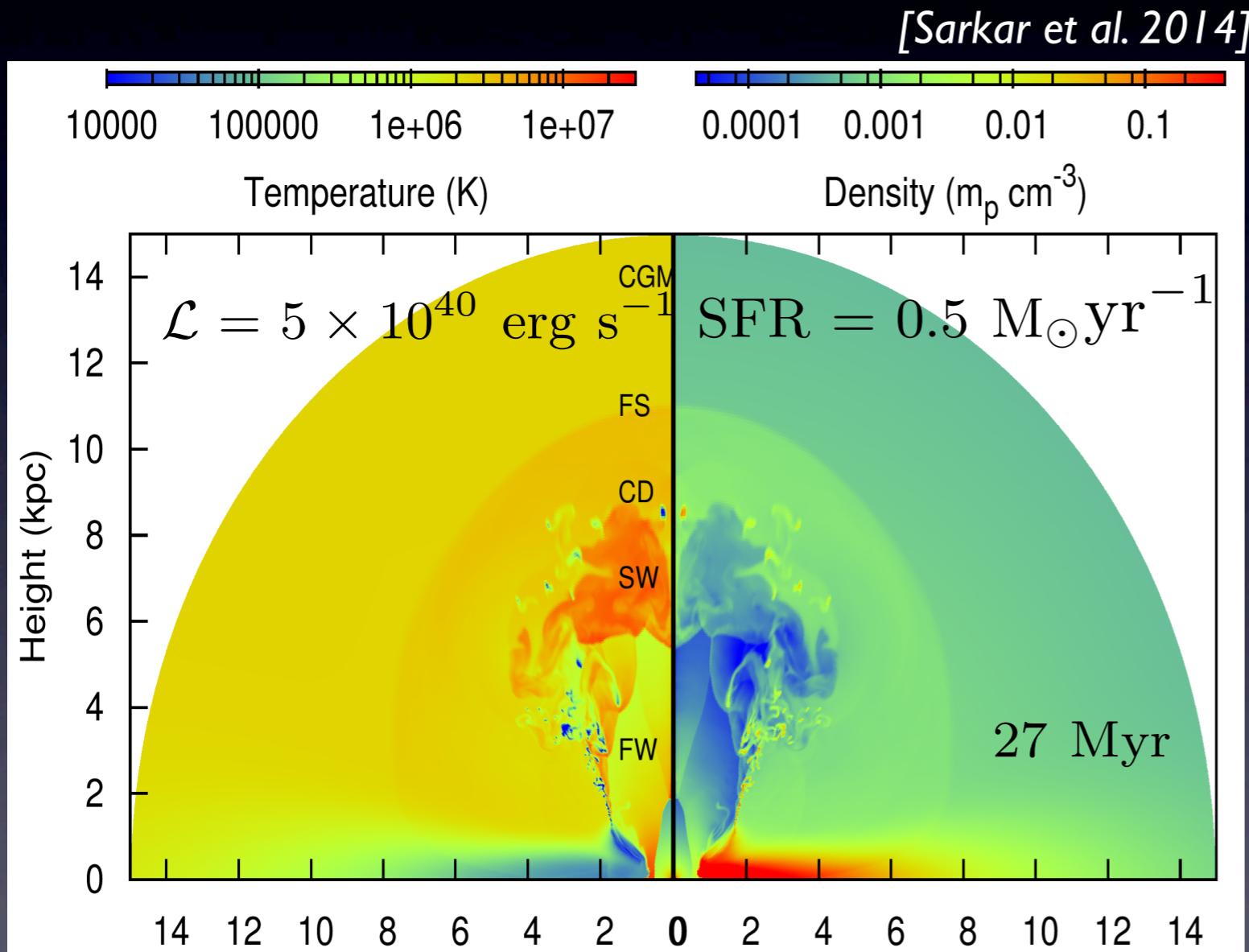
[*Su et al. 2010*]



similar features seen in
radio, mm, X-rays

same source for all these
fireworks!

Starburst model for FBs



X-ray modeling least uncertain

γ -ray, radio non-thermal: Qs such as leptonic/hadronic, B-field, etc.

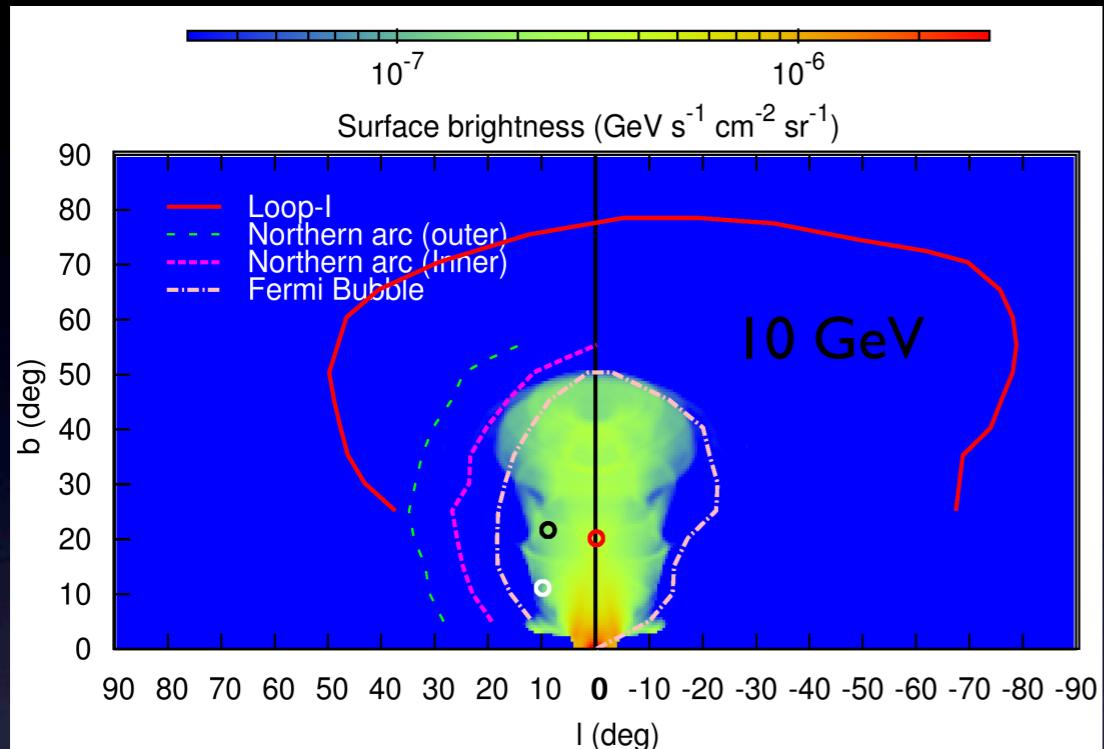
AGN jet models require younger FBs as $v_{\text{jet}} \sim c$ ($\sim 1-10$ Myr)

SB model fixes $t \sim 20-30$ Myr, less sensitive to SFR and halo density

slower outer shock consistent w. X-ray obs.

$$\mathcal{R} \approx (\mathcal{L} t^3 / \rho)^{1/5} \approx 10 \text{ kpc} \left(\frac{\mathcal{L}}{5 \times 10^{40} \text{ erg s}^{-1}} \frac{0.001 m_p}{\rho} \left[\frac{t}{27 \text{ Myr}} \right]^3 \right)^{1/5} \quad \mathcal{V} \approx 3\mathcal{R}/5t \approx 200 \text{ km s}^{-1} \left(\frac{\mathcal{L}}{5 \times 10^{40} \text{ erg s}^{-1}} \frac{0.001 m_p}{\rho} \left[\frac{10 \text{ kpc}}{\mathcal{R}} \right]^2 \right)^{1/3}$$

Simulated FB observations



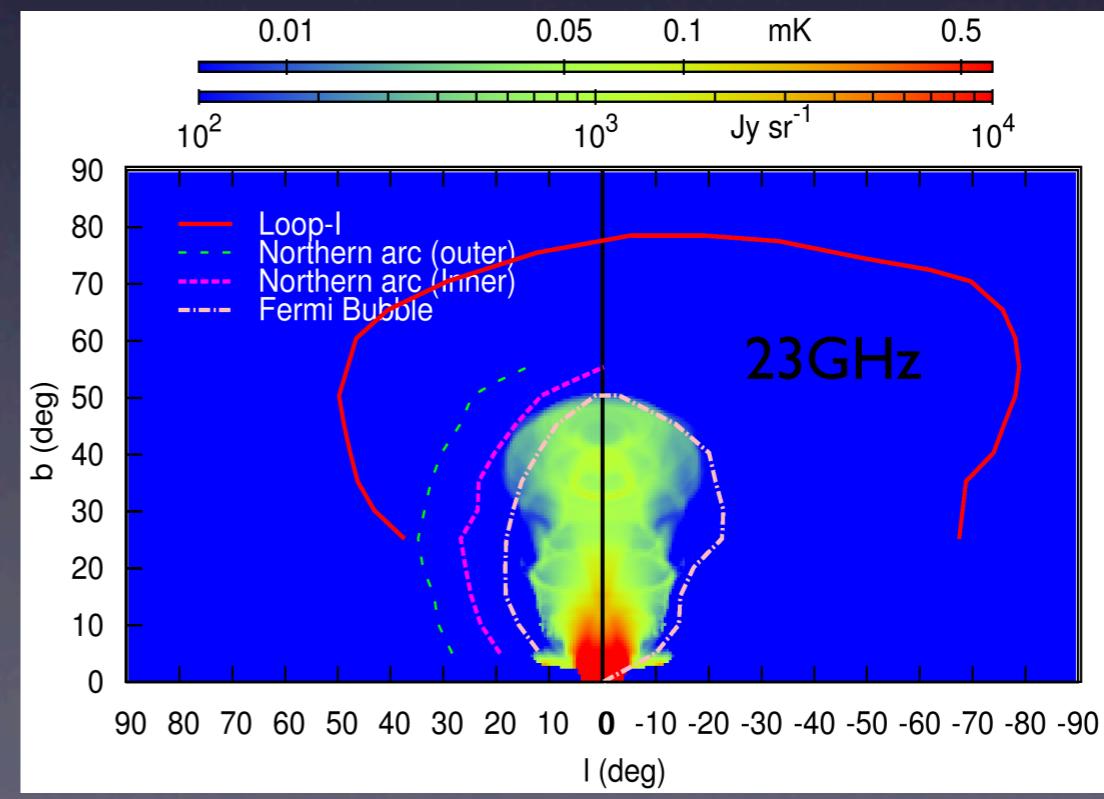
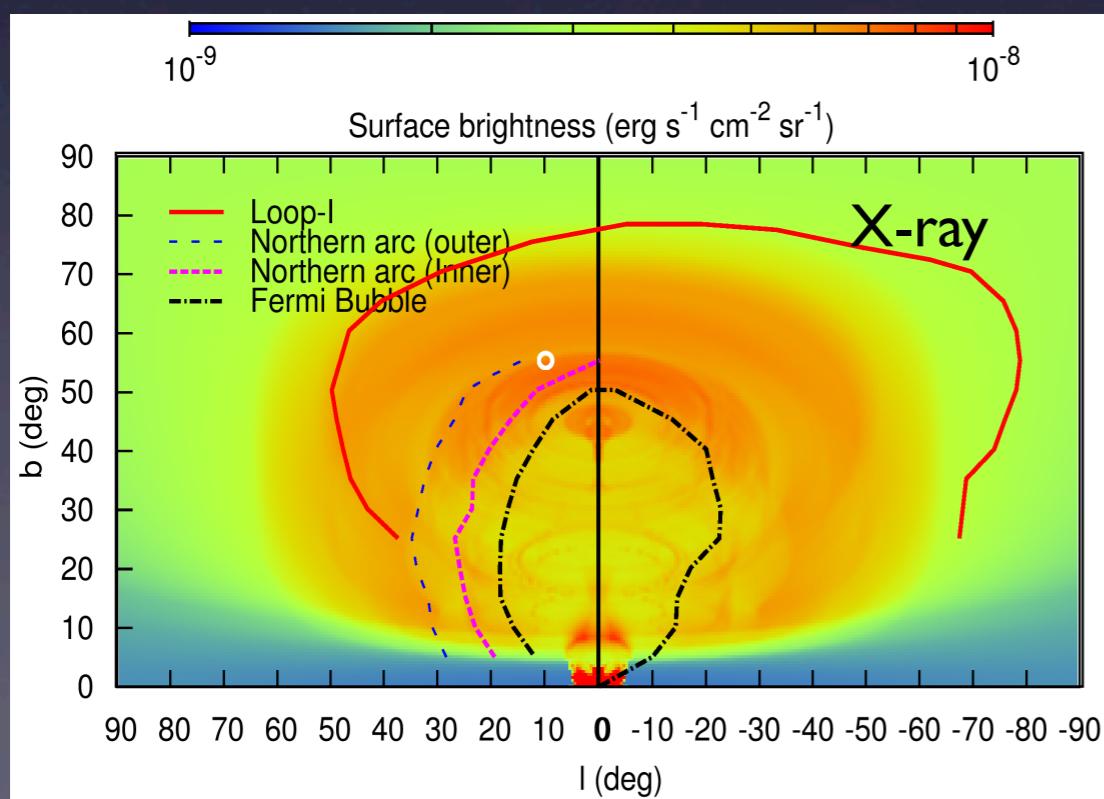
leptonic (IC) model gives a good fit to γ -rays

hadronic model ruled out as bubble is low density

synchrotron with $B \sim 5 \mu\text{G}$ ($p \sim 2.2$) fits radio/mm

a good fit to morphology/spectra/fluxes

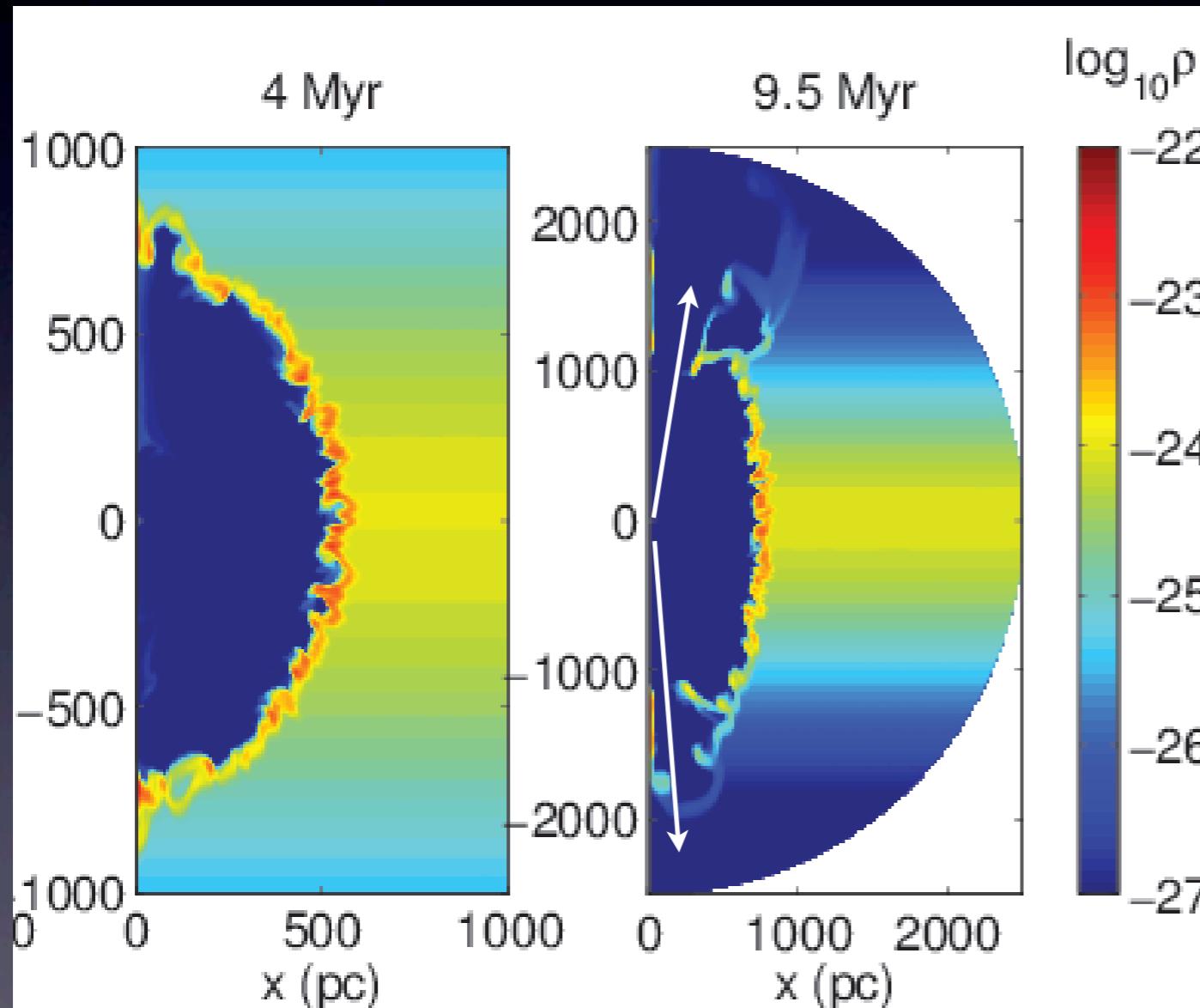
projection effects important



Escape of UV photons



[Roy et al. 2015]



even a small column (10^{17} cm^{-2}) of neutral gas can absorb UV radiation

How do then UV photons escape their dense molecular clouds?

escape required for reionizing universe

by blowing holes through the ISM!

escape through a patchy ISM perpendicular to the neutral disk

a picket-fence model



Modeling UV escape

$$\frac{dp(z)}{dz} = -\rho(z)g(z)$$

$$\frac{d^2\Phi}{dz^2} = 4\pi G\rho$$

$$n(z) = n_0 \operatorname{sech}^2\left(\frac{z}{\sqrt{2}z_0}\right), \quad z_0 = \frac{c_s}{\sqrt{4\pi G \mu m_p n_0}}$$

$$f_{esc}(\theta, t, N_O; n_0, z_0) = \frac{Sd\Omega/4\pi - \int_0^\infty \alpha_H^{(2)} n_H^2(r) r^2 dr d\Omega}{Sd\Omega/4\pi} \frac{S(t)/S(t=0)}{S(t)/S(t=0)}$$

assumed ionization equilibrium
(ionization = recombination)

valid only when dynamical time \gg recombination time

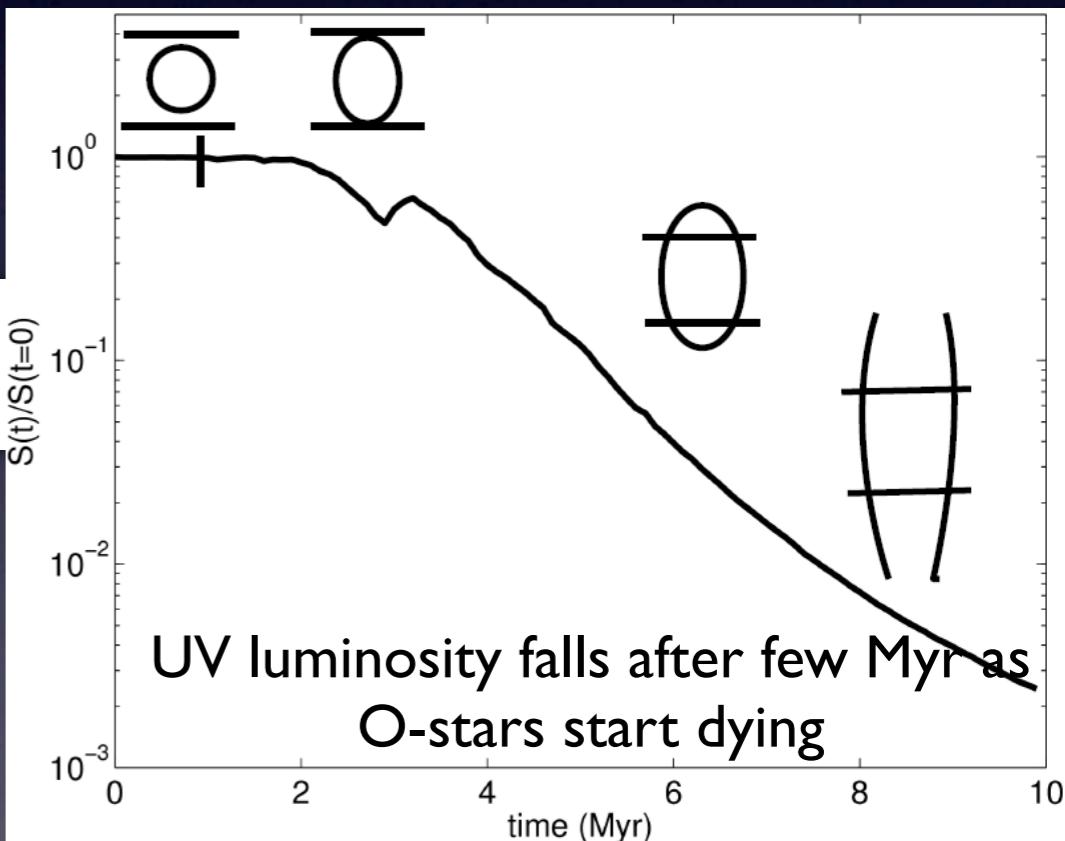
easier to escape molecular disk as it is thinner!

thus, ok to consider WNM disk

a self-gravitating
isothermal disk

↓ isothermal thin disk ↑

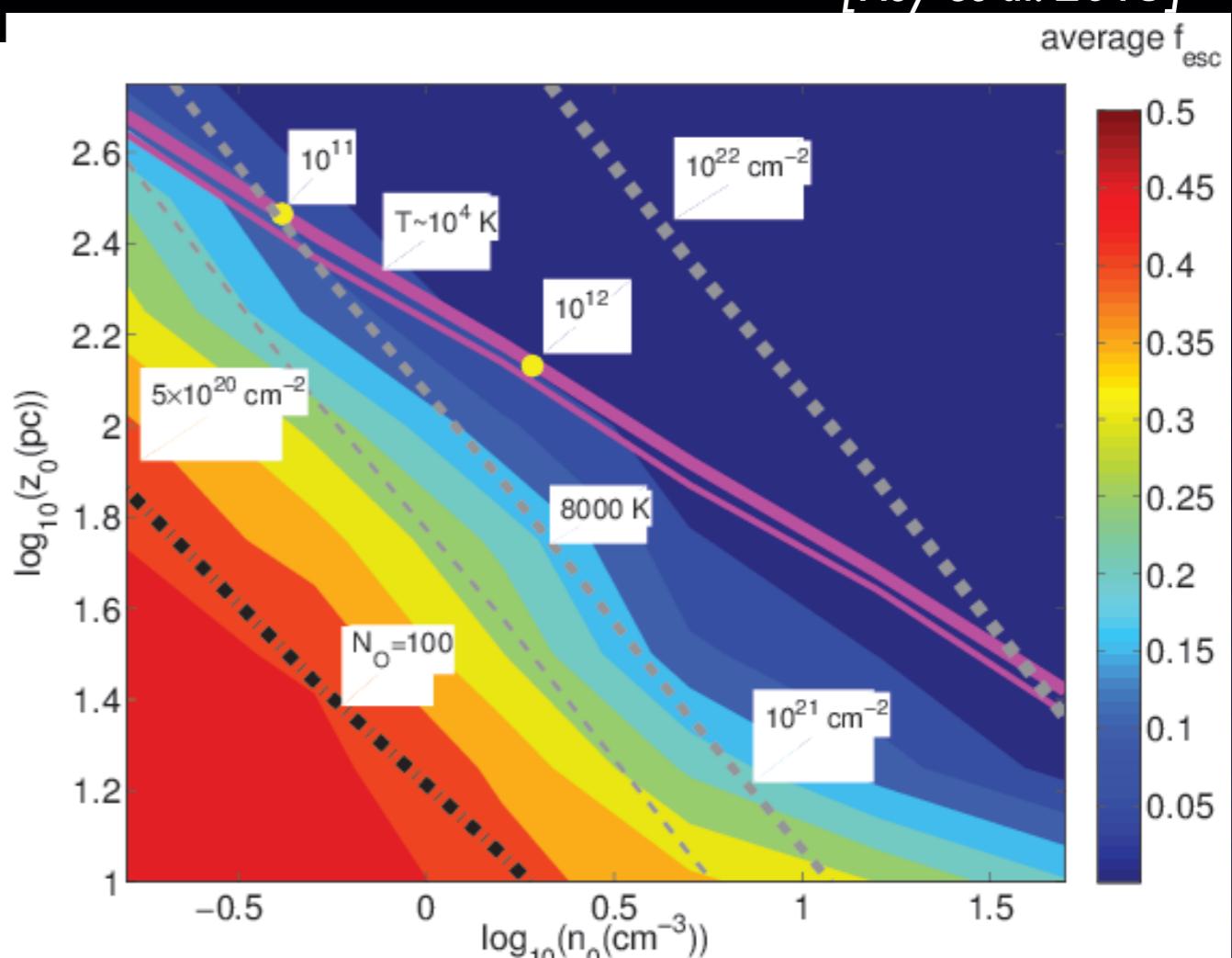
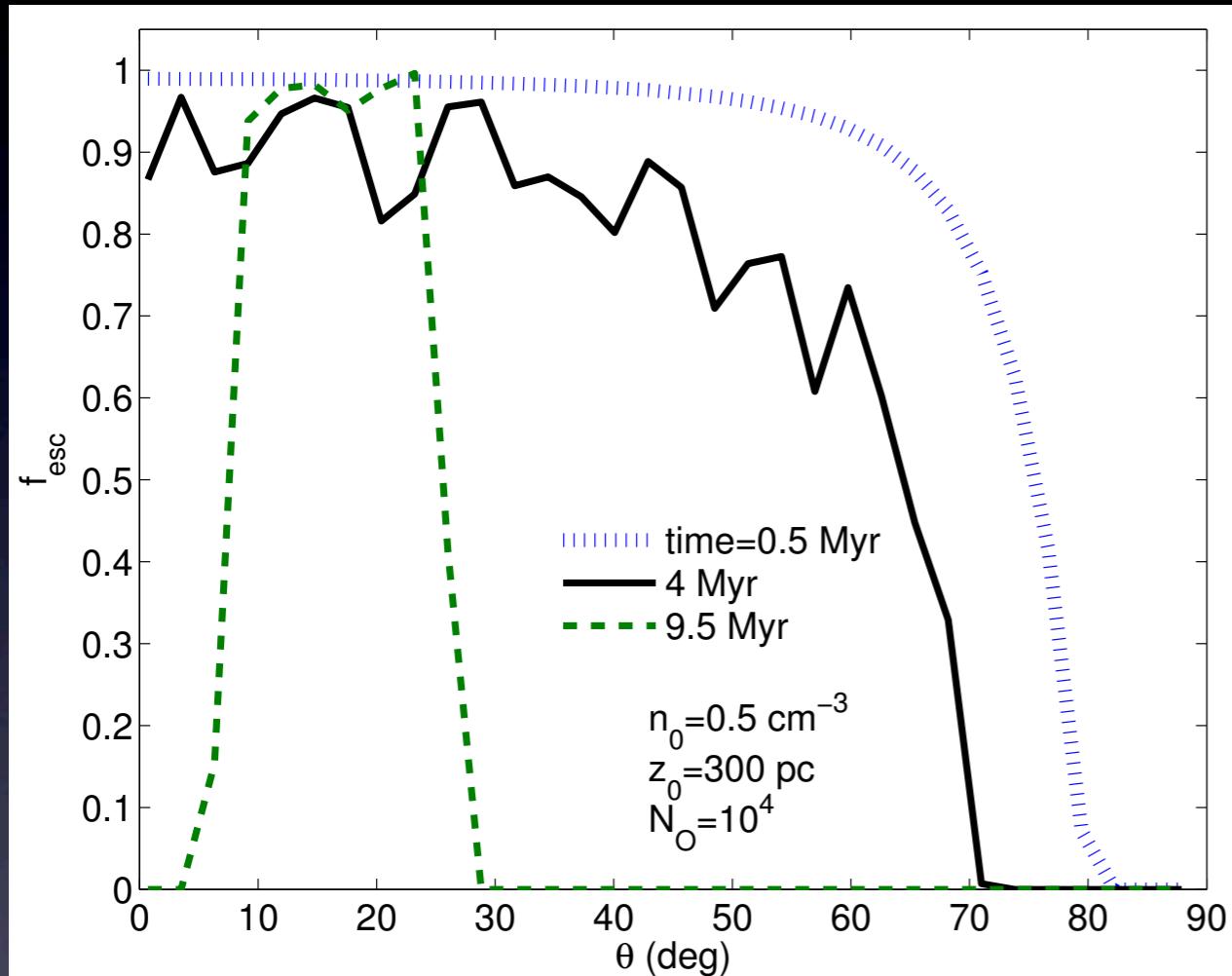
[Roy et al. 2015]



must punch holes before all O-stars are gone!

Escape results

[Roy et al. 2015]



angle, time, stellar population averaged escape fraction as a function of WNM disk parameters

UV photons escape close to poles
essentially through low density pathways

our results match MW value 5-10%
slightly higher for lower mass galaxies
weak galaxy mass dependence

Conclusions

- galactic outflows common
- isolated SN can't power them
- need overlapping SNe => superbubbles
- SBs can retain substantial fraction of energy
- SB breakout & halo metal pollution
- Fermi bubble as a starburst-driven outflow
- crucial role in escape of ionizing photons

Thank you!